

# Influence of including infarcted material to a left ventricular contraction simulation

**STUDENT PROJECT** Computational Bioengineering laboratory \$\$2013

P2R20

P2R20

= 0.2 · '

= 0.28 ·

 $t_1 = 0.25$ 

= 0.5 ·

 $t_3 = 0.75$ .

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#### Introduction

Infarction of the heart is the most leading cause of death in the developed world. Infarction of muscular tissue develops, if the coronary artery does not provide enough blood. This ischemia occurs mainly in the endocardial part of the muscle and can locally lead to muscular decease. Then these parts are not able to support the ventricular contraction any longer. For the global heart system this could lead to reduced blood volume output or ventricular fibrillation. For this project we want to focus on the effects on the dynamic of the contraction.

#### Model generation

To evaluate these effects, 3 different ischemic models are compared to a healthy reference:

- P1R10: Small infarcted area on side wall, position 1, radius=10mm
- P1R20: Large infarcted area on side wall, position 1, radius=20mm
- · P2R20: Large infarcted area on apex, position 2, radius=20mm

Fig. 1 depict a characteristic step in the model generation process. The workflow will be described more precisely in the following

Pseudo valve

Epicardium

Endocardium

along the long axis.

P1R10

P1R20

P2R20

The

see fig. 3.

left ventricle

\*

Figure 1 Meshing of a cut through the non-

Figure 2 Positions for the ischemia, cut through

dynamics

cardiovascular tissue is dominated

by a fiber structure, which has to

be taken into account. This was

done by solving a scalar transport

of

the

Fibers in the tissue

#### Geometry

In order to obtain a three-dimensional model for Finite Element (FE) analysis, following steps have been conducted:

- Segmentation of the geometry from patient-specific CT-data using Mimics ®
- Reasonable smoothening of the geometry with 3-matics ®

· Generation of a pseudo valve Remark: The applied pseudo valve allows effective monitoring of volume changes in the lumen of the heart by applying the Gaussian divergence theorem, by which an evaluation of the effect of an infarct on the cardiac output is enabled

#### Discretization and volume classification

The preparation of the geometric model for a FE analysis contains following steps:

- Mesh generation in Harpoon ® (unstructured hex-dominant with elements approximately 5.0 · 10<sup>5</sup> degrees of freedom)
- · Classification of different volumes (myocardium, spherical infarcted regions, pseudo valve)
- · Infarcted material is represented as a sphere around a center point on the endocardium at one of the main bifurcations of the coronary arteries (see fig. 2)

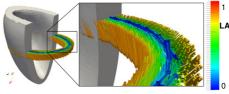


Figure 3 Distribution and directions of fibers

### **Computational setup**

- Dynamic computation with Rayleigh damping at a timestep size  $\Delta t = 0.002s$  in BACI
- Load: cardiac pulse (see fig. 4) at a frequency of 75Hz (in total T = 0.8s)
- · Apical activation: propagation from apex to atrial area
- · Hyperelastic material behaviour, see Table 1

Table 1	Selected material model parameters				- ±'	
Region	Material model	Active	Characteristic parameters			
Contracting	CoupAnisoNeoHooke_ActiveStress	Yes	$\sigma = 2.0 \cdot 10^5$		- £	
Myocardium	IsoMooneyRivlin	No	$C_1 = 2.0 \cdot 10^4$	$C_{2} = 40$		
	VolPenalty	No	$\varepsilon = 1.0\cdot 10^7$	$\gamma = 1.0$	0	
Ischemic	IsoMooneyRivlin	No	$C_1 = 2.0 \cdot 10^4$	$C_2 = 40$	0 0.5	
Myocardium	VolPenalty	No	$\varepsilon = 1.0\cdot 10^7$	$\gamma = 1.0$	t/T	
Pseudo valve	IsoMooneyRivlin	No	$C_1 = 2.0 \cdot 10^6$	$C_2 = 0.0$	<ul> <li>Figure 4 A</li> </ul>	
	VolPenalty	No	$\varepsilon = 1.0 \cdot 10^{-13}$	$\gamma = 1.0$	<ul> <li>description of the a cardiac contraction</li> </ul>	



#### Simulation results

reference

30000

10000

c

ŝ

0

von 1

reference

P1R10

P1R20

Simulated von Mises stress distributions of the left

P1R20

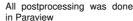
at two time steps during contraction. Three different

P1R10

Figure 6 Comparison of simulated magnitudes of displacements

for the different ischemic setups at  $t_1$  (contracting phase),  $t_2$ 

(maximum contraction),  $t_3$  (partially relaxed muscle state). Outline and crosses: contour at t = 0.0s and positions of the ischemic



Von Mises stresses

Von Mises stress distributions יח Mises [ד. ָ ג 20000 י were calculated using main stresses  $\sigma_{I,II,III}$  (see fig. 5):

 $\sigma_{v} = \sqrt{\frac{1}{2}[(\sigma_{l} - \sigma_{ll})^{2} + (\sigma_{ll} - \sigma_{lll})^{2} + (\sigma_{lll} - \sigma_{l})^{2}]}$  The contraction of the muscle tissue starts from the apex towards the pseudo valve Figure 5

· It becomes clear how the ventrical setups of ischemic tissue due to infarcted areas are compared. ischemic areas of all sizes, in each location do not contract and show no contribution to the change of volume

#### **Displacements**

- Fig. 6 shows magnitudes of displacements:
- · Almost no displacements of infarcted material (column 2 § to 4)
- Rotation at  $t = t_2$ (reference) does not occur when  $\frac{1}{2}$ an ischemia is assumed
- Small influence of size of infarct on deformation (column 2, 3), but magnitudes decrease
- · Deformation starts delayed and maximum displace-ment is near the pseudo valve when infarct is located at apex (column 4)

#### Volume change

- physiologically were to cause an outflow of blood equal to the volume change (fig. 7)

centerpoint

. The infarct at the apex influences the volume contraction less, but earlier than the infarct closer to the valves

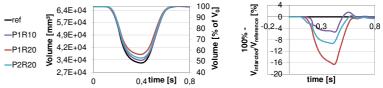


Figure 7 Volume in left ventricle over one cycle and relative developing of the infarcted hearts' volume changes compared to the reference mode

## Conclusion

All four simulated models show realistic behaviour for a left ventricular contraction cycle with and without an infarcted area. Models P1R10, P1R20 and P2R20 include the infarcted material and show less displacements and lower von Mises stress distributions in the ischemic tissue compared to the reference model. Subsequently, the volume change during the contraction cycle is reduced with increasing amount of infarcted

the infarcted area (from R=10 to R=20) and center point position (P1 compared to P2) influence the contraction cycle more severely, whereby an infarct located in the apex region seems to have relatively less effect on the output and is therefore less critical than a sidewall affection. This might be due to the fact that cross-sectional areas at position 1 are greater than at the apex region (position 2).

Apart from that, the following simplifications limit the validity of the investigations:

A so-called Purkinje fiber system has to be considered for exact representation of the physiological activation process rather than a strongly simplifying apical activation, but its application is a field of ongoing research and therefore beyond the scope of this study. The pseudo valve was added only for the sake of simplified volume monitoring and does not represent the real atrial structure.

Nevertheless, the simulations clearly represent the reduction of cardiac output in the case of infarcted tissue compared to a healthy reference model and the harmful effects of infarcted muscular tissue on the dynamics of a human heart.



<sup>1</sup>Streeter, Daniel D., "Gross morphology and fiber geometry of the heart." Handbook of physiology (1979): 61-112 Institute for Computational Mechanics

infarcted reference model of the left ventricle

- · Volumes of all four heart models decrease during the first half of a cycle which
- Minimal volume (and thus the integrated maximum outflow) is reached at 0.4 sec
- · Infarcted heart models' volumes change less compared to the reference model
- . The bigger the radius of the infarcted area, the greater is the lack of volume change

