

Self Optimizing Particle Simulations: Combining Expert Knowledge with Learning

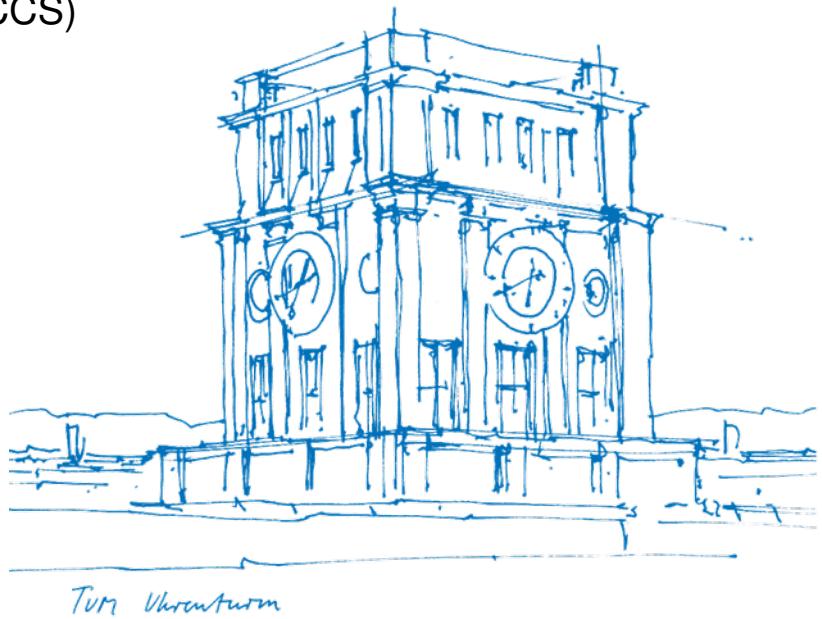
Fabio Gratl, Hans-Joachim Bungartz, Philipp Neumann

Technical University of Munich

TUM School of Computation, Information and Technology (CIT)

Chair of Scientific Computing in Computer Science (SCCS)

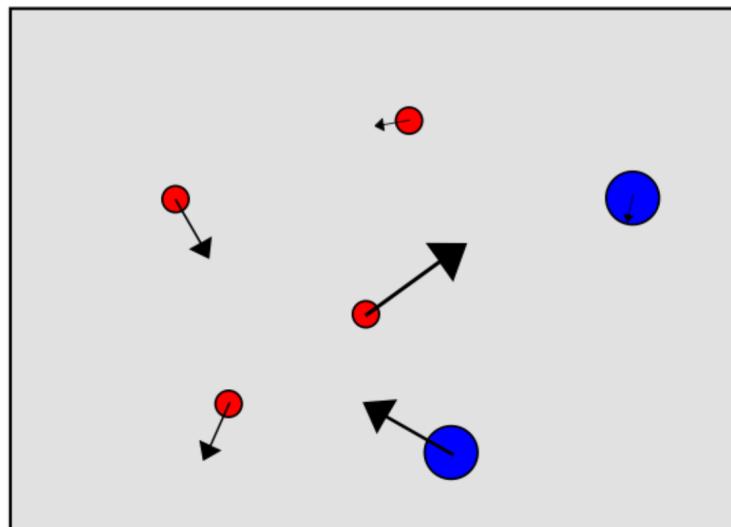
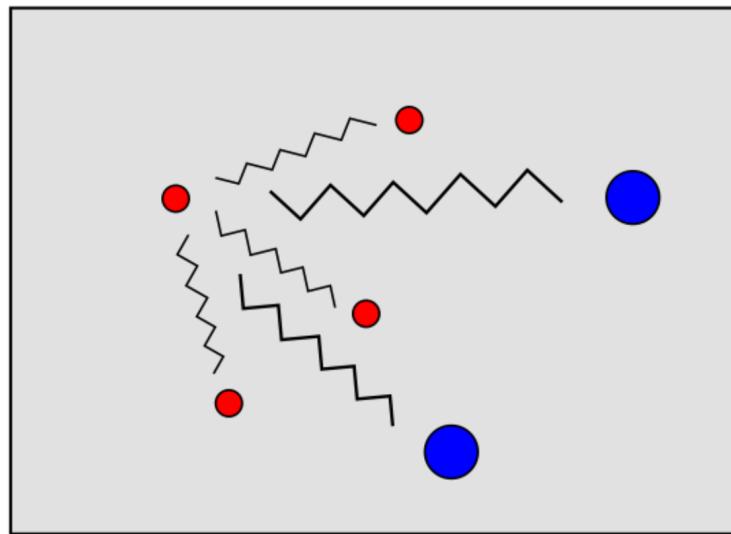
Garching, 02.05.2024



Particle Simulations: Core Ideas

- Model N particles
- Compute particle interactions
- Propagate according to
Newton's Laws of Motion

⇒ How?



Moving Through Time

- Acceleration of one particle i according to Newton's 2nd Law:

$$\vec{a}_i = \dot{\vec{v}}_i = \ddot{\vec{r}}_i = \frac{\vec{F}_i}{m_i} \quad (1)$$

- Can be transferred to a system of $2 \cdot d \cdot N$ ODEs:

$$\dot{\vec{r}}_i = \vec{v}_i \quad (2)$$

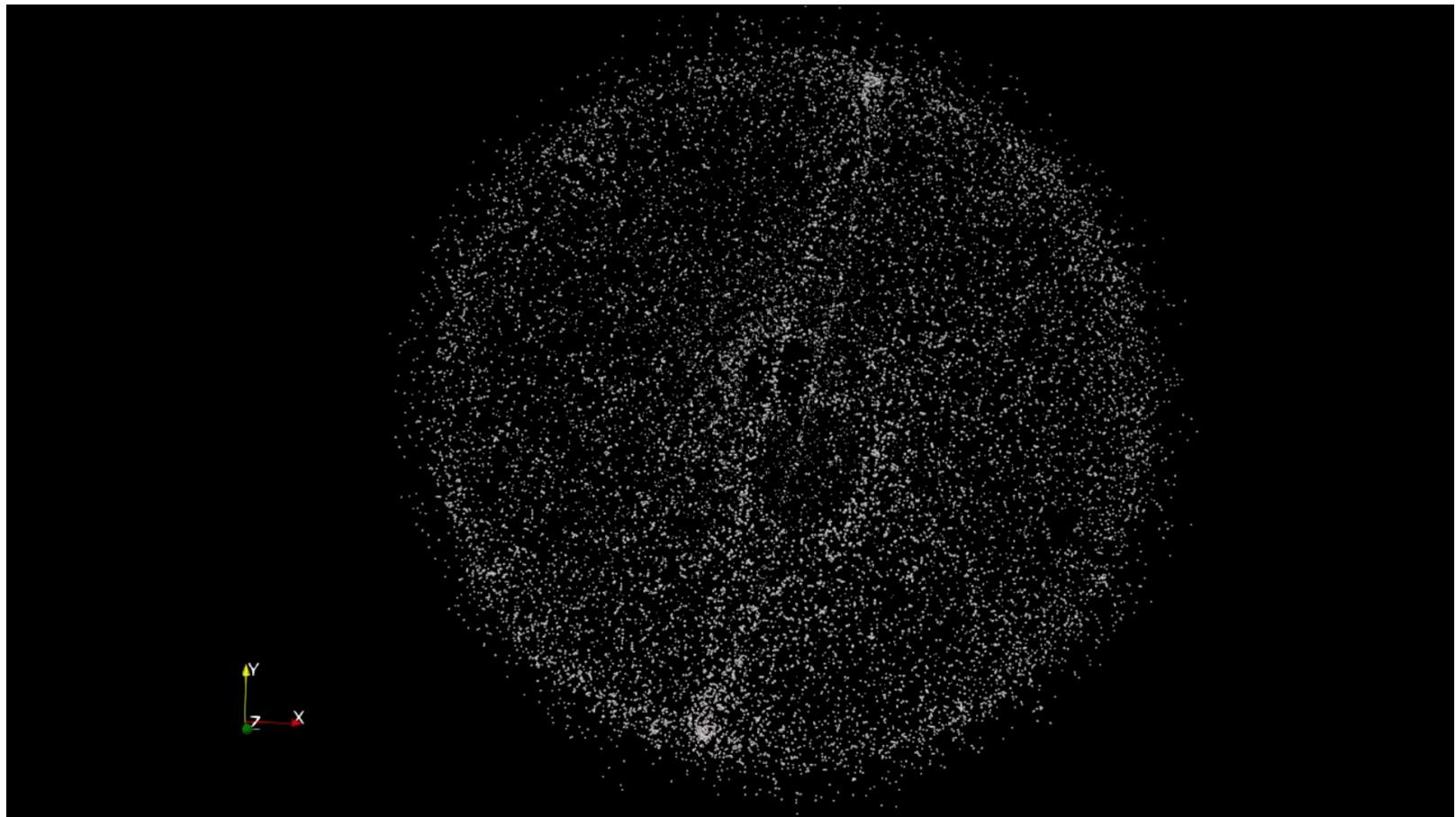
$$\dot{\vec{v}}_i = \vec{a}_i \quad (3)$$

- Requirements to the integrator:
 - Computationally cheap
 - Close to “true solution” \Rightarrow Positions, System Energy, . . . ?
- Example: Velocity-Störmer-Verlet:

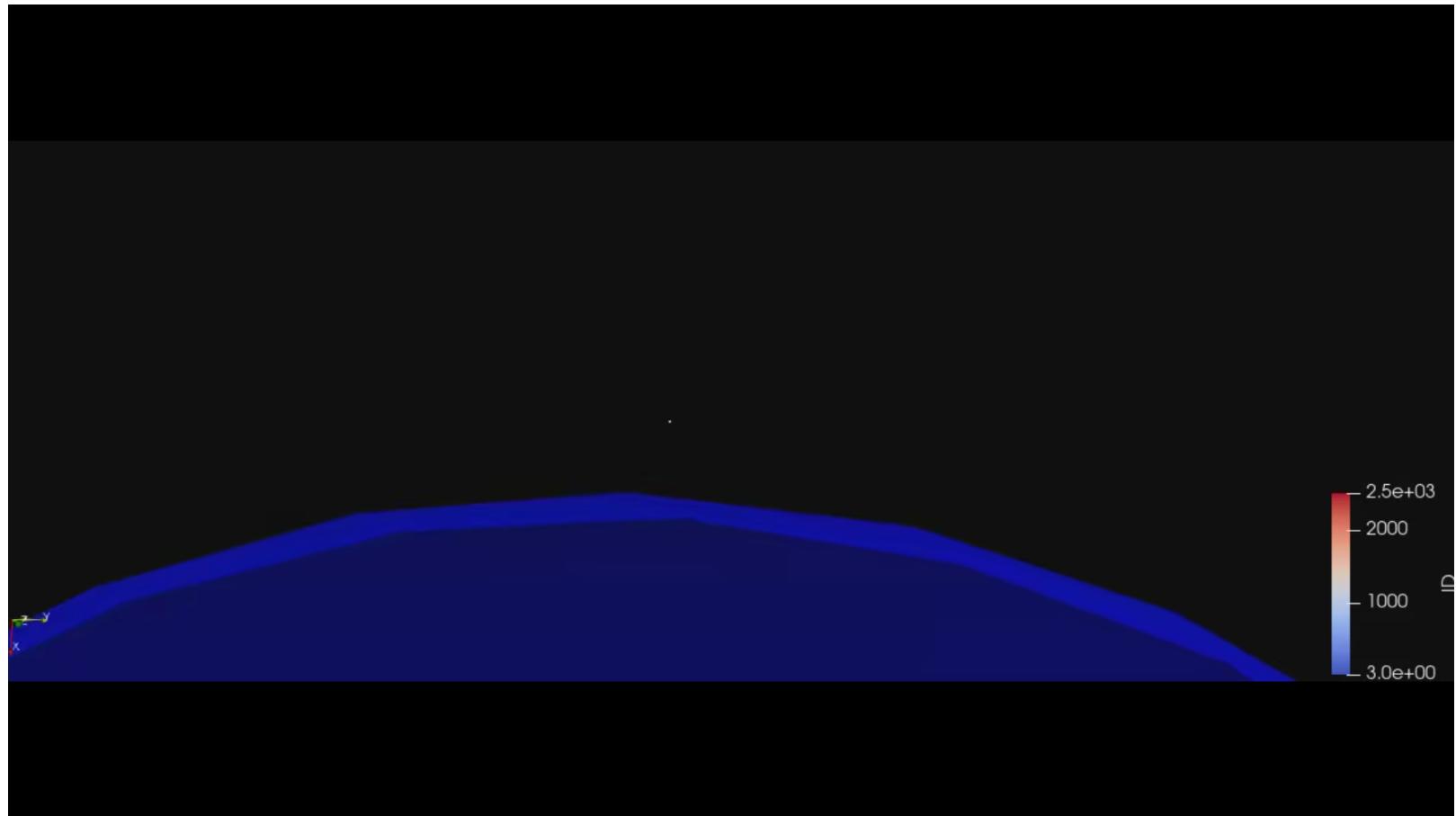
$$r_i(t_{n+1}) = r_i(t_n) + \Delta t \cdot v_i(t_n) + (\Delta t)^2 \frac{F_i(t_n)}{2m_i} \quad (4)$$

$$v_i(t_{n+1}) = v_i(t_n) + \Delta t \frac{F_i(t_n) + F_i(t_n + 1)}{2m_i} \quad (5)$$

Application: Space Debris

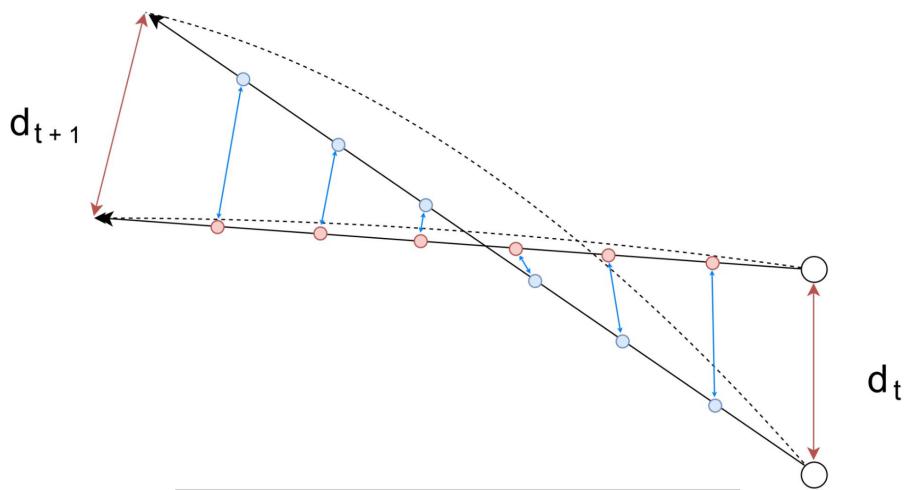


Application: Space Collisions

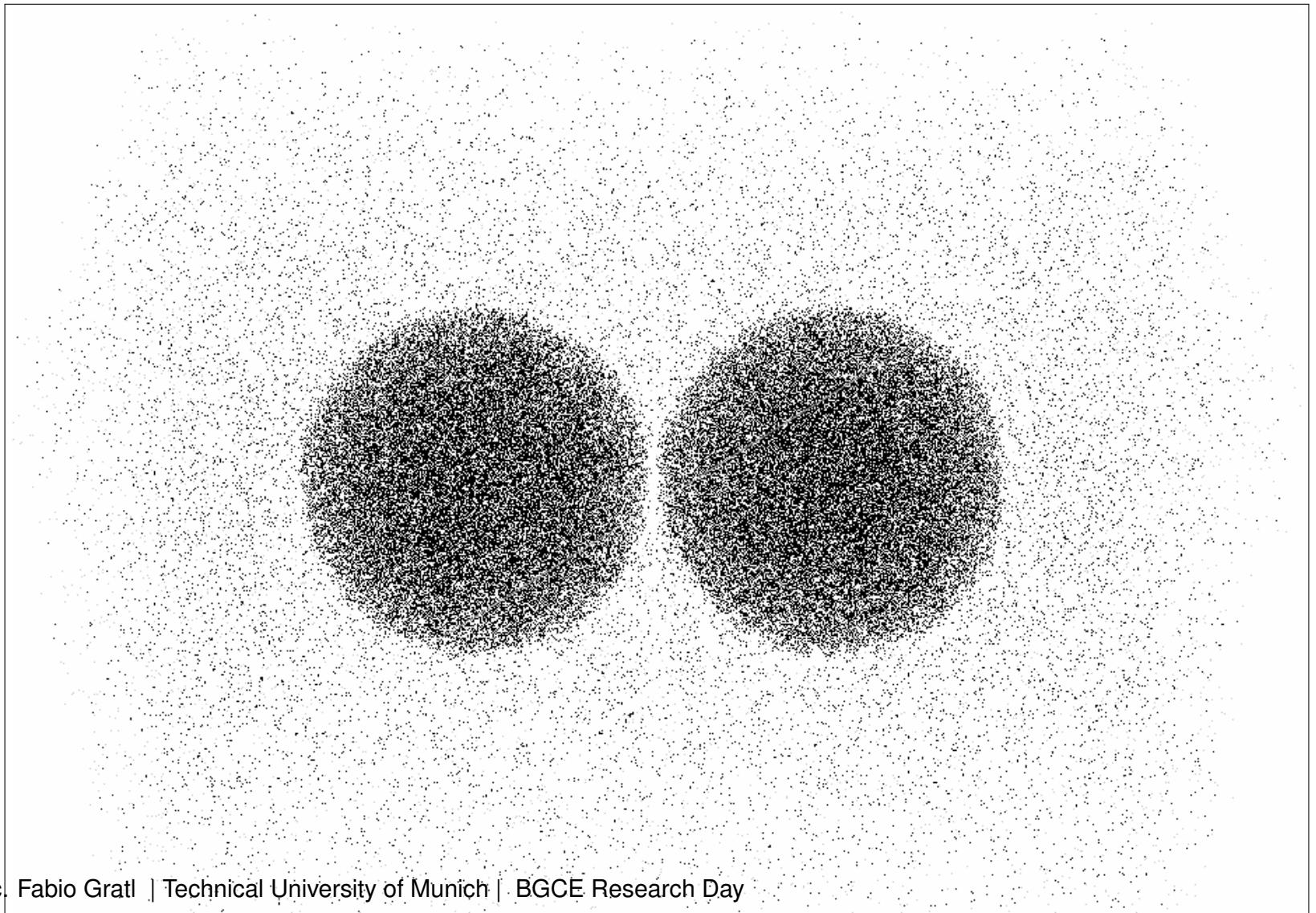


LArge-scale Deterministic Debris Simulation

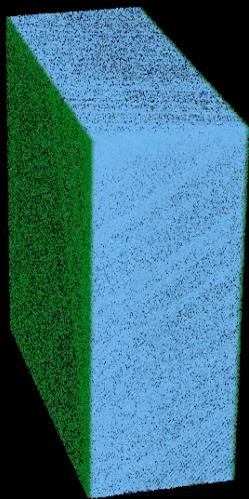
- Simulation of satellites as particles
- Trajectory modelling
- Newton's Laws of Motion
- Yoshida integrator
- Propagation perturbations
- Sub-timestep collision tracking
- N -Body problem $\Rightarrow O(N^2)$
- NASA Breakup Model
- <https://github.com/esa/LADDS>



Application: Molecular Dynamics Droplets



Application: Molecular Dynamics Exploding Liquid



Molecular Dynamics - Short Range

- Here: small rigid molecules as points without geometry
- Simulation of movement of particles
- Computation of pairwise forces
- Newton's Laws of Motion
- LeapFrog integrator
- N -Body problem $\Rightarrow O(N^2)$
- Force cut-off $\Rightarrow O(N)$

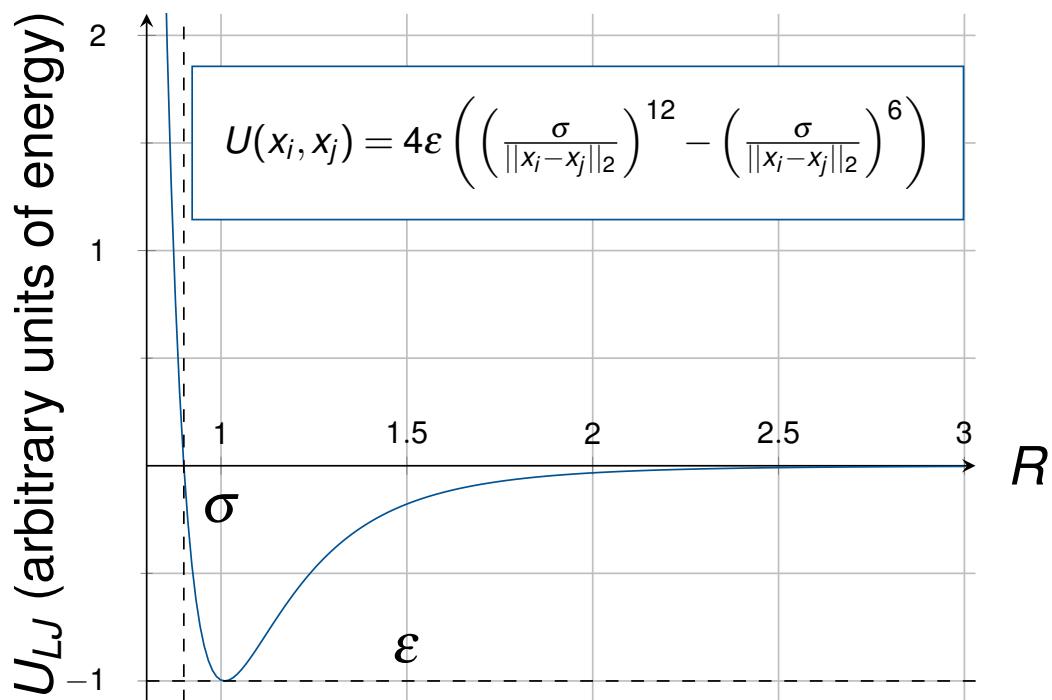
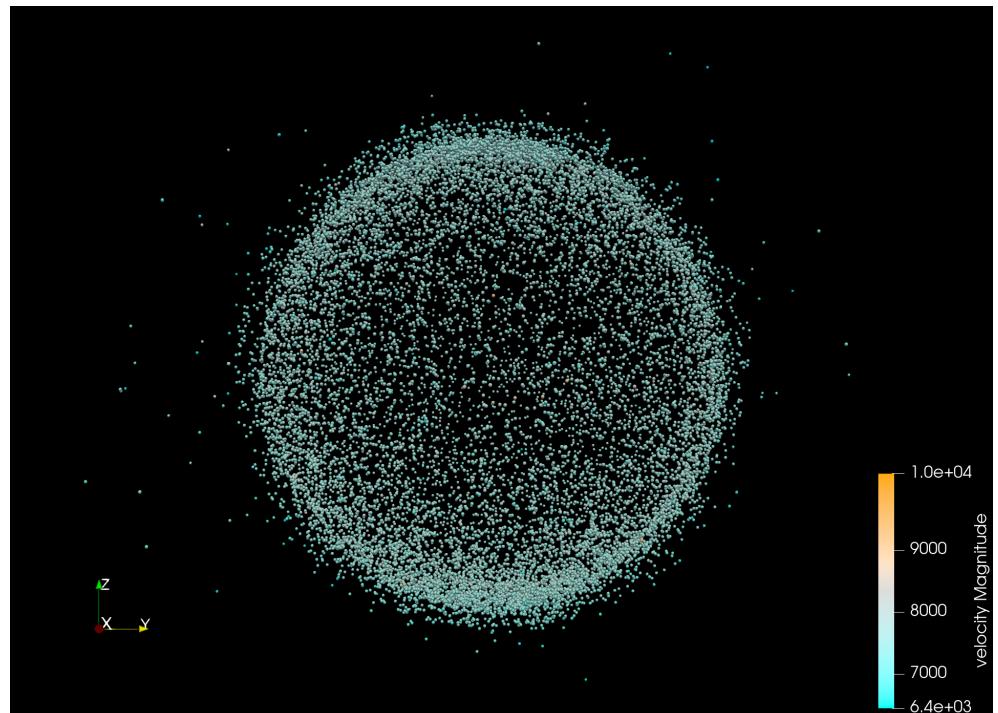


Figure: Lennard Jones Potential for $\epsilon = 1$ and $\sigma = 0.9$

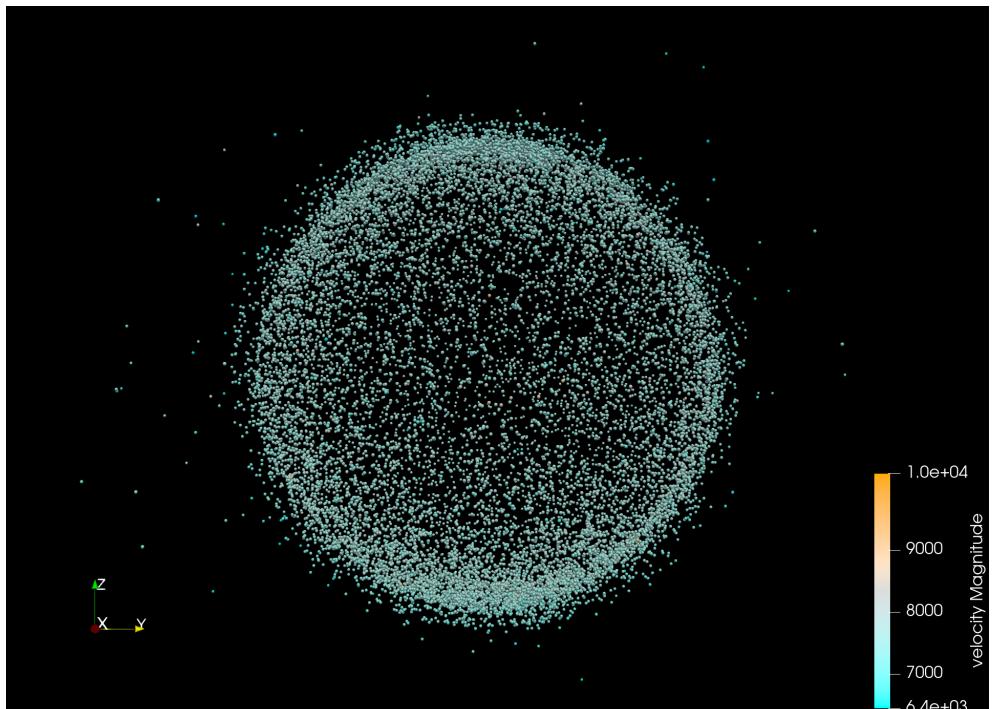
Particle Simulation Challenges

- Total number of particles
- Particle density
- (In-)Homogeneity
- Systems changing over time
- Many possible algorithms
- Arbitrary simulation types:
MD, SPH, DEM, ...
- Overall goal:
Minimize time to solution!



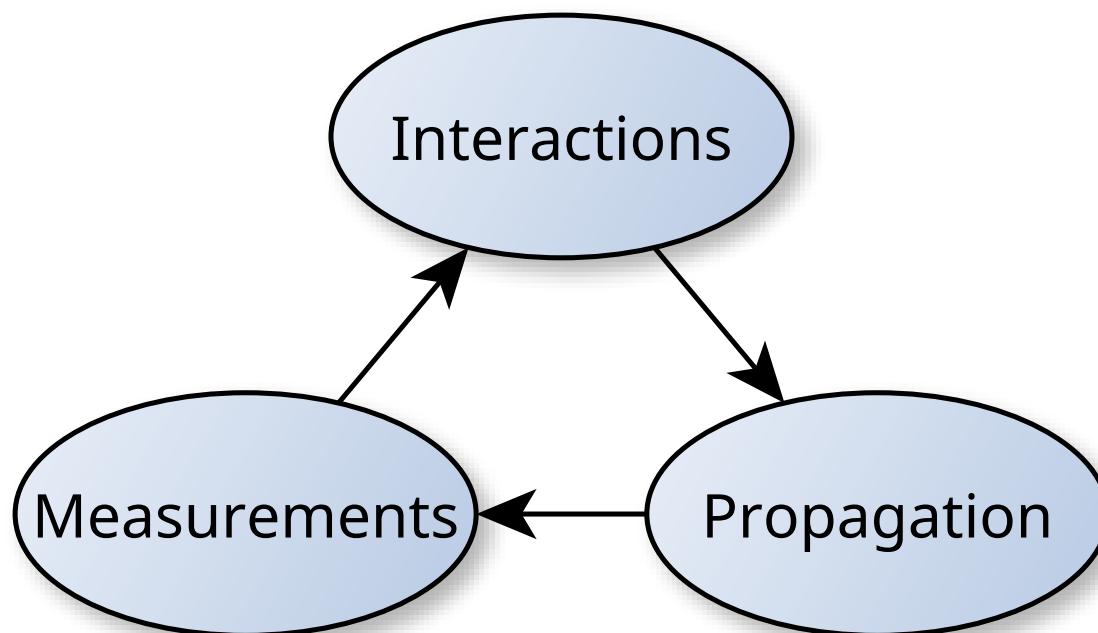
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Or energy!

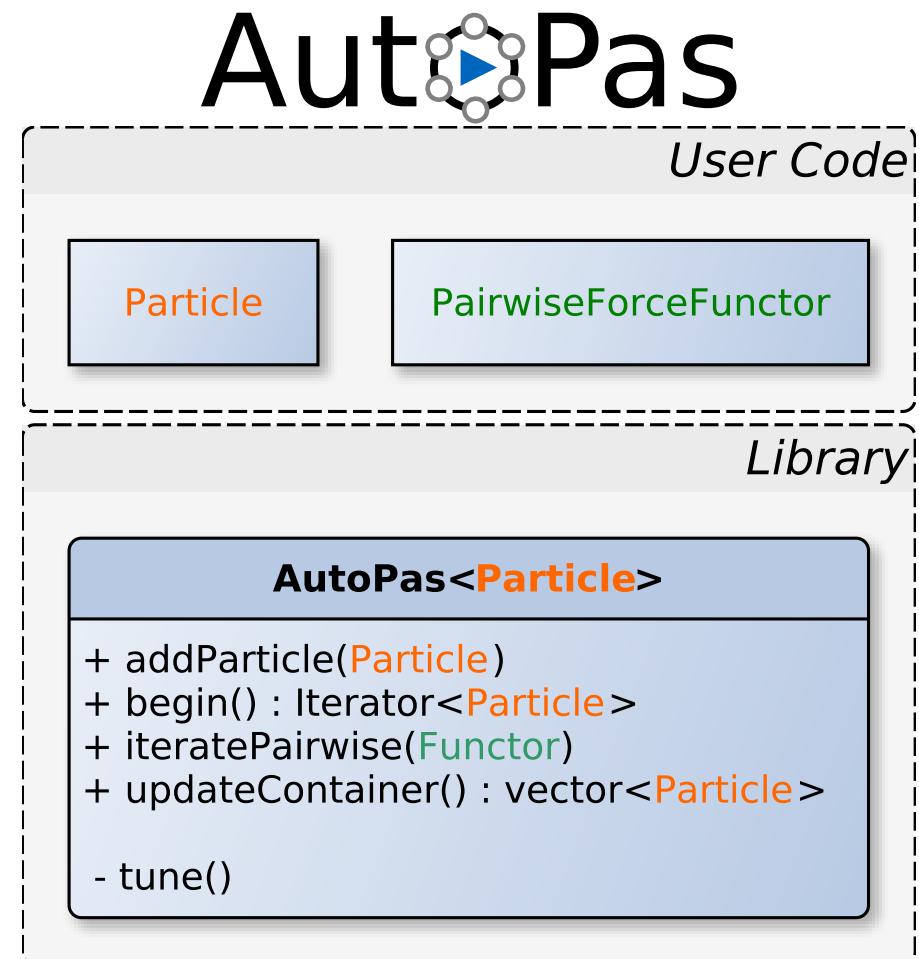
Particle Simulation Abstraction



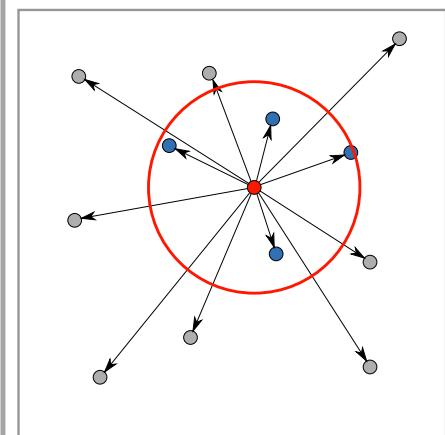
Introducing AutoPas

- Node-Level C++17 library
 - Black-box particle container
 - Facade-like software pattern
 - User defines:
 - Properties of particles
 - Force for pairwise interaction
 - AutoPas provides
 - Containers, Traversals, Data Layouts, ...
 - Dynamic Tuning at run-time
- ⇒ General base for N-Body simulations

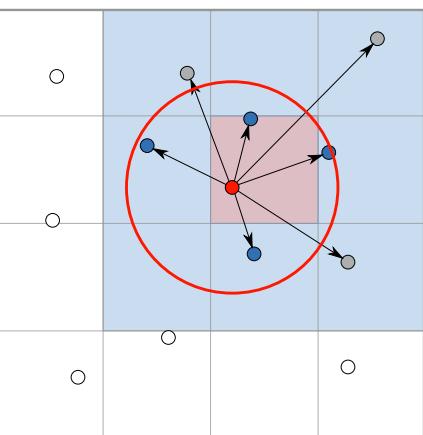
<https://autopas.github.io/>



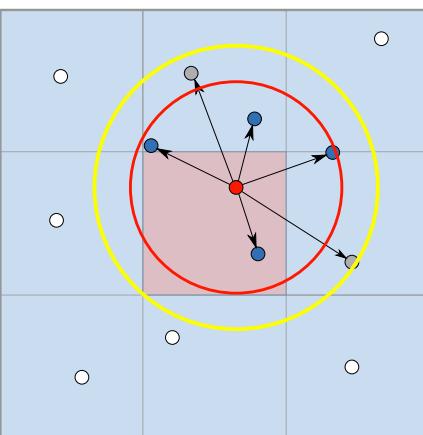
Algorithmic Choices



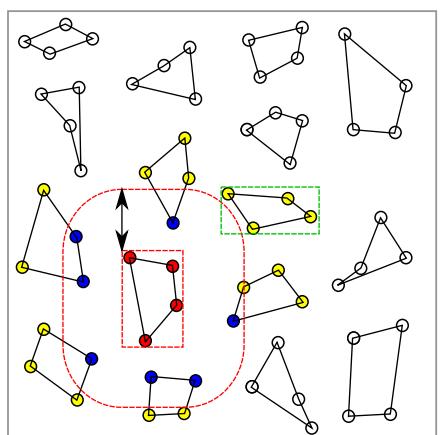
Direct Sum



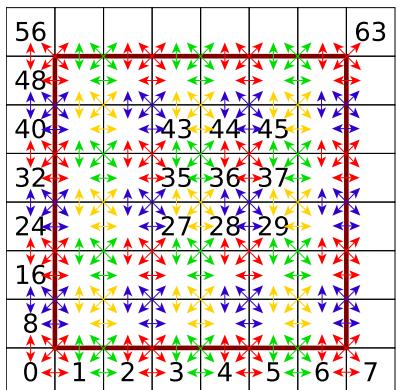
Linked Cells



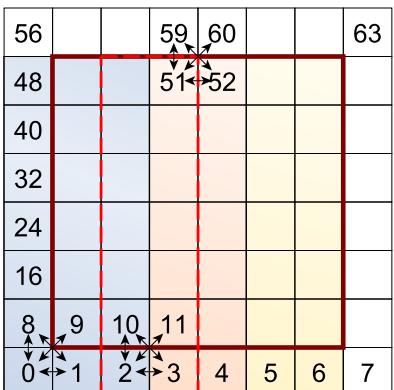
Verlet Lists



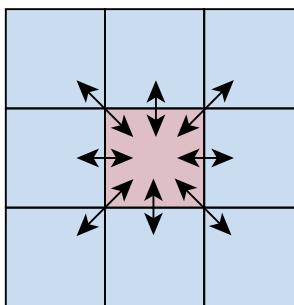
Verlet Cluster Lists



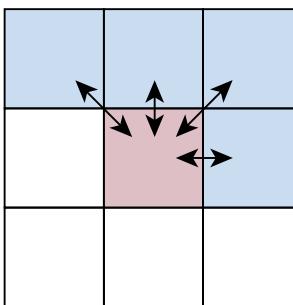
Coloring



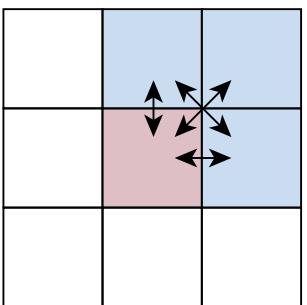
Slicing



C01



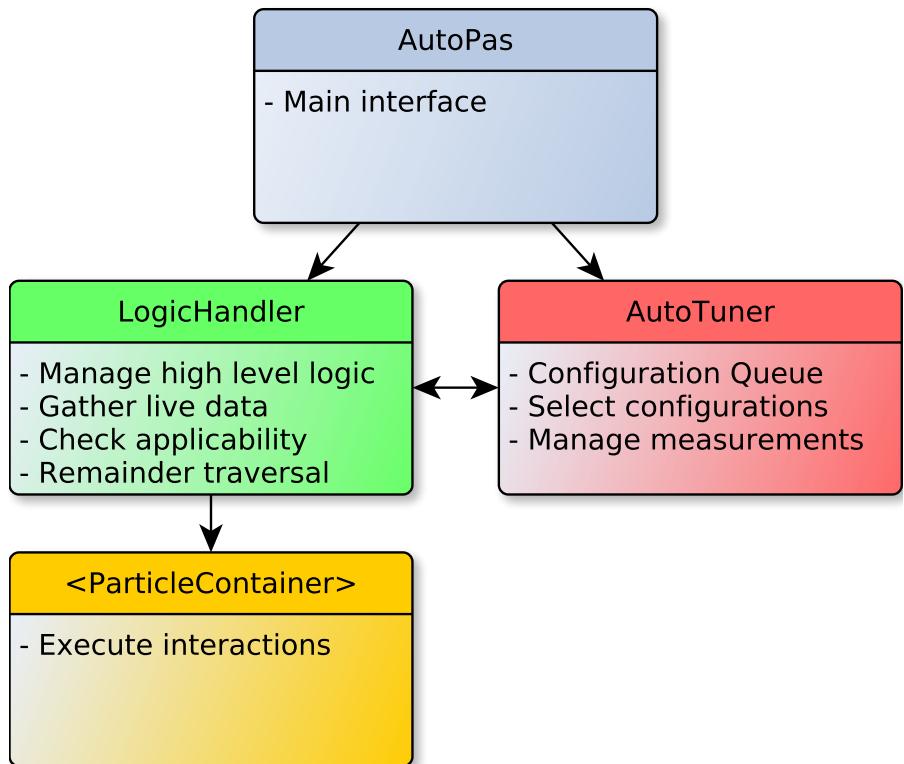
C18



C08

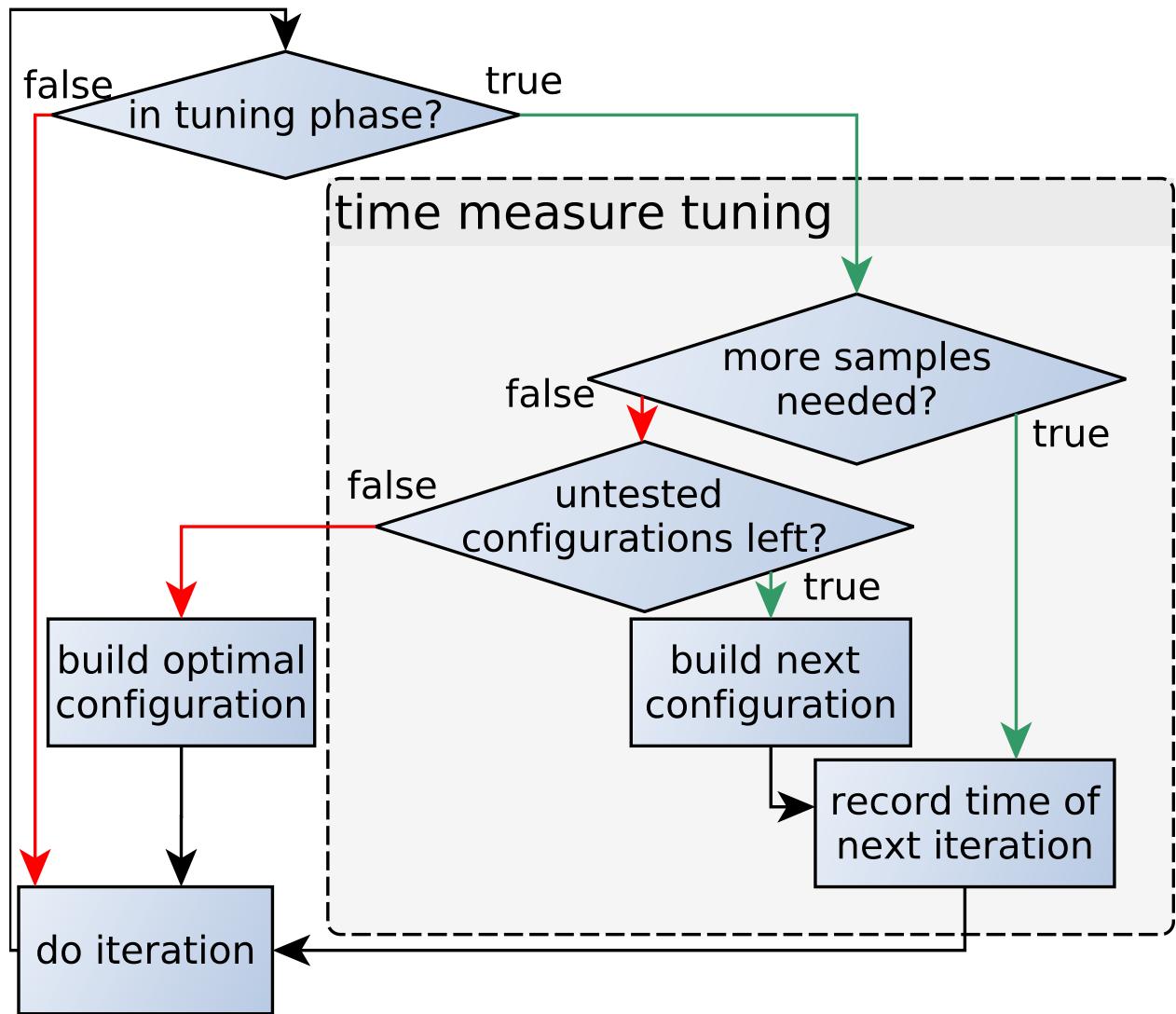
AutoPas Tuning Workflow

- Simple user interface
- Abstraction layer for non-critical common functionality
- Highly specialized data containers for particle interactions



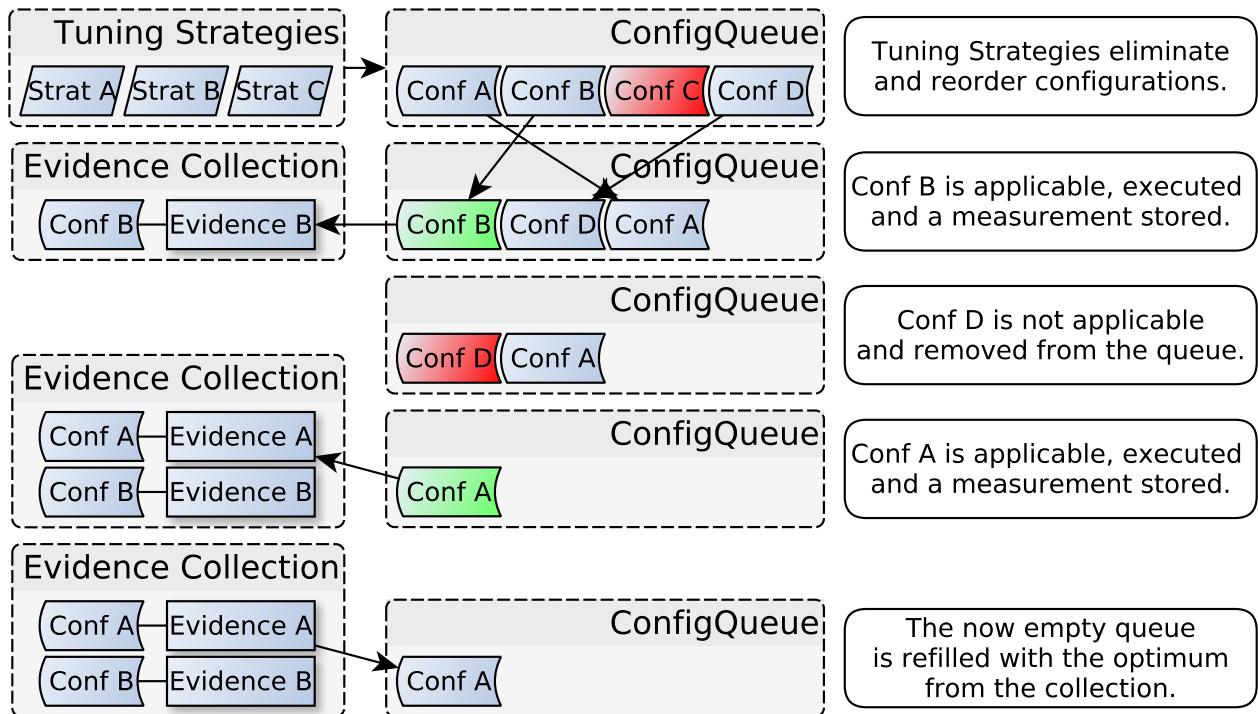
Tuning Cycle

- Common interfaces for containers, traversals, etc.
- Repeated periodically
- User can restrict search space

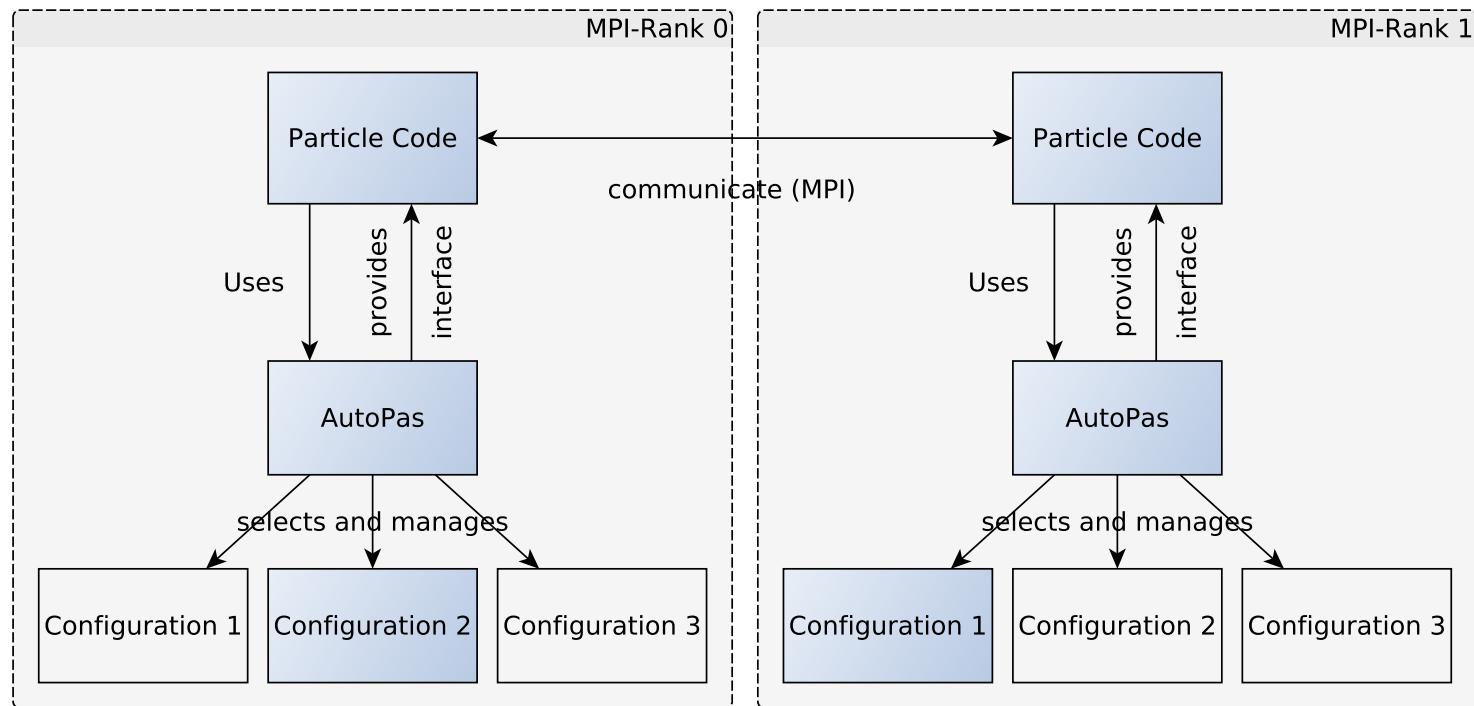


AutoPas Tuning Pipeline

- Modular design
- Easily extensible with new:
 - ⇒ Configurations
 - ⇒ Tuning strategies
 - ⇒ Tuning metrics

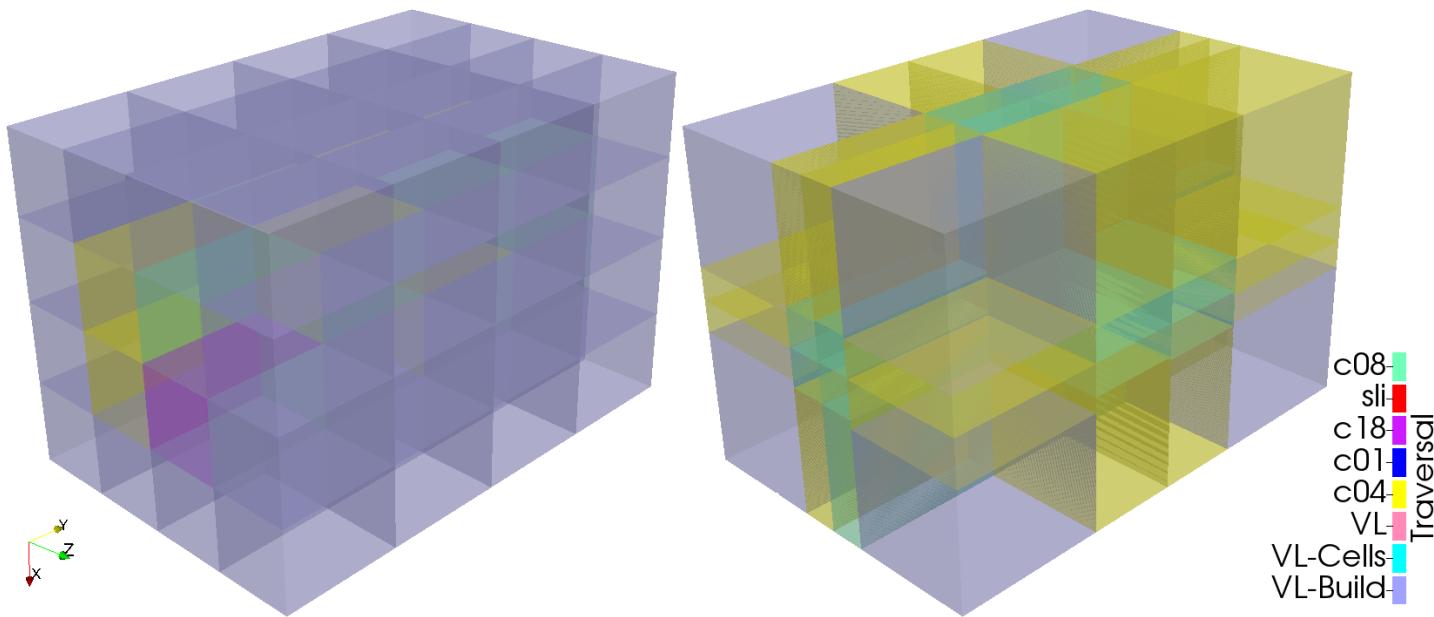


AutoPas in MPI parallel Software



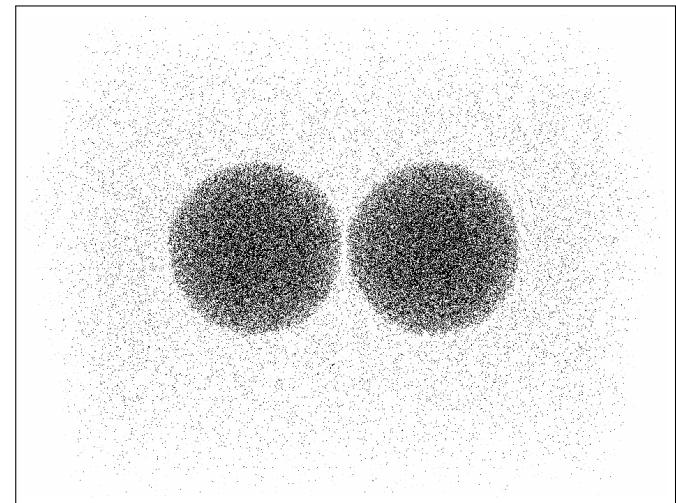
- One AutoPas instance per Rank.
- Independent tuning!
- Interfaces independent of algorithms.
- AutoPas acts as black-box container.

Speedups from Dynamic Tuning in ls1 mardyn

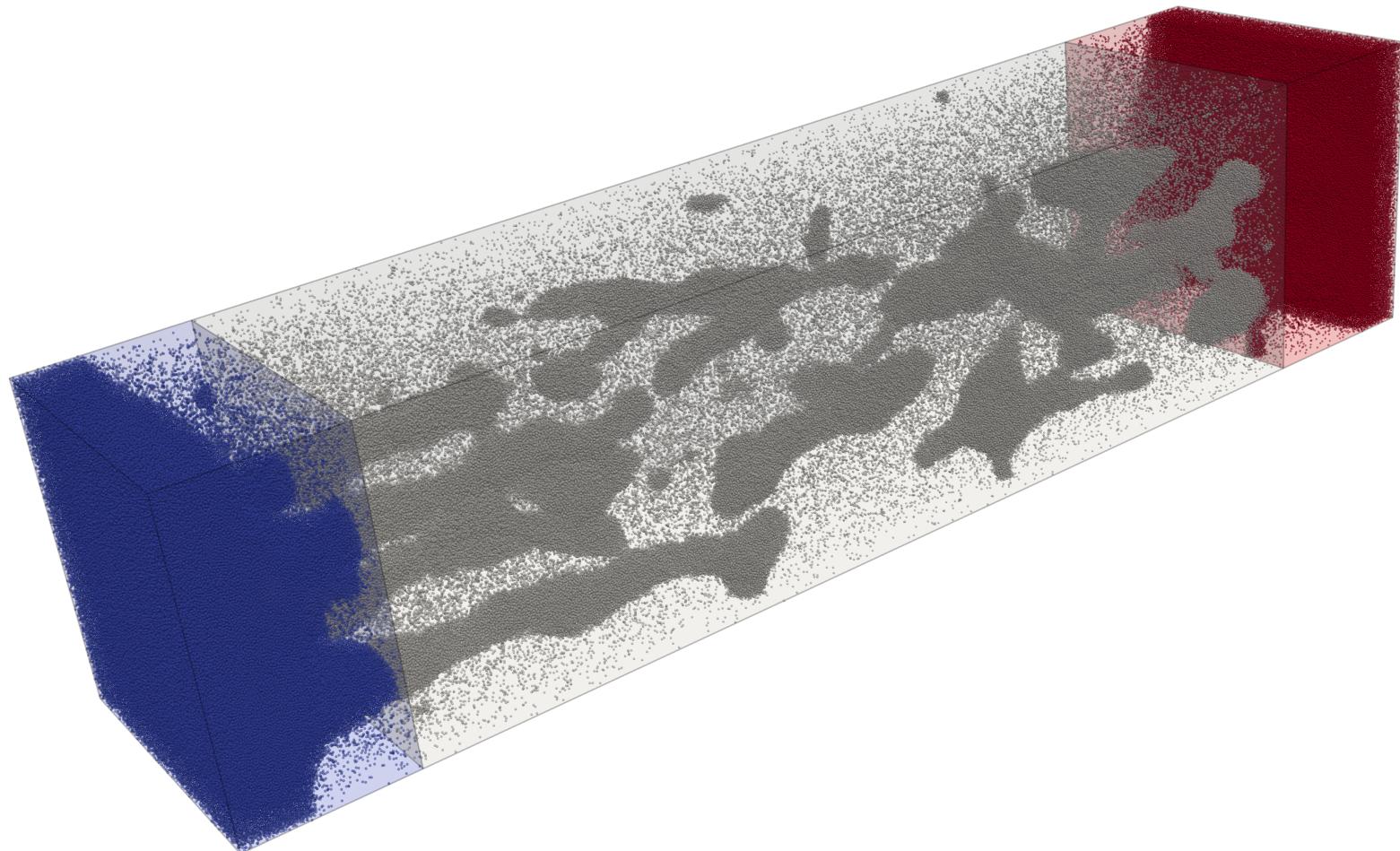


- 3M Particles over 64 Ranks
- Auto-Tuning + Diffusive Loadbalancing
- Speed-up about 50% vs vanilla ls1

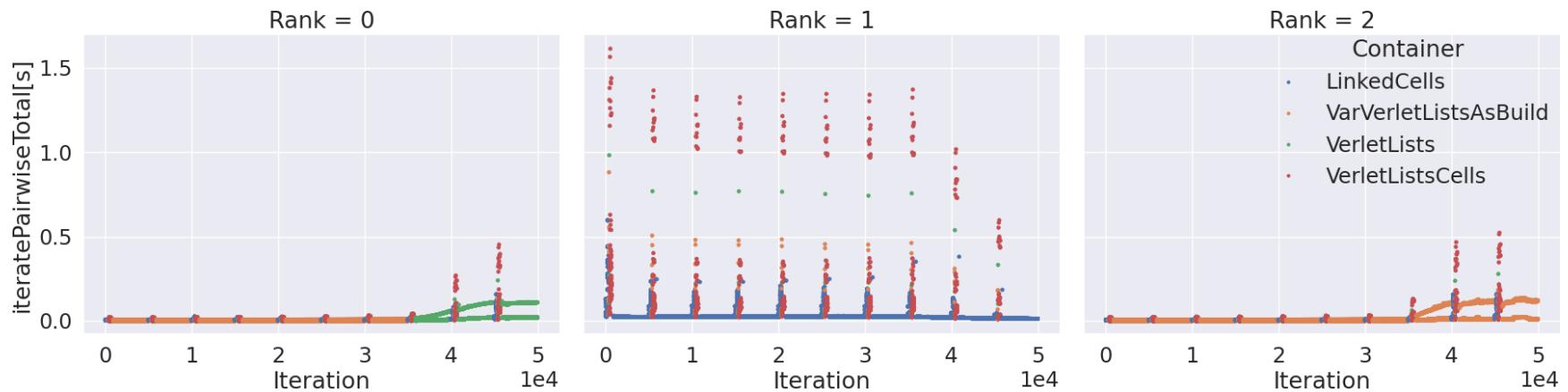
Seckler, S., Gratl, F., Heinen, M., Vrabec, J., Bungartz, H. J., & Neumann, P. (2021). AutoPas in ls1 mardyn: Massively parallel particle simulations with node-level auto-tuning. *Journal of Computational Science*, 50, 101296.



ls1 mardyn + AutoPas \Rightarrow MPI + Tuning



Iteration Performance over Time - Full Search



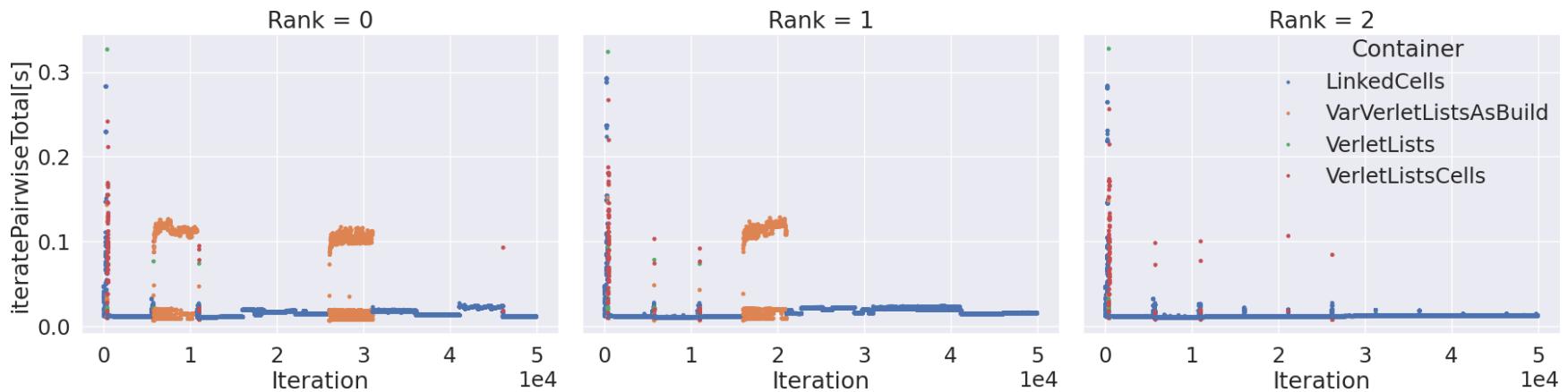
- Only first 50k iterations of 280k
- Exhaustive search through 92 configurations
- Tuning phases become extremely expensive
- Highest outliers are Verlet list rebuilds

Rule Based Tuning

```
if numParticles > 1000:  
    [container="LinkedCells"] >= [container="DirectSum"] ;  
endif
```

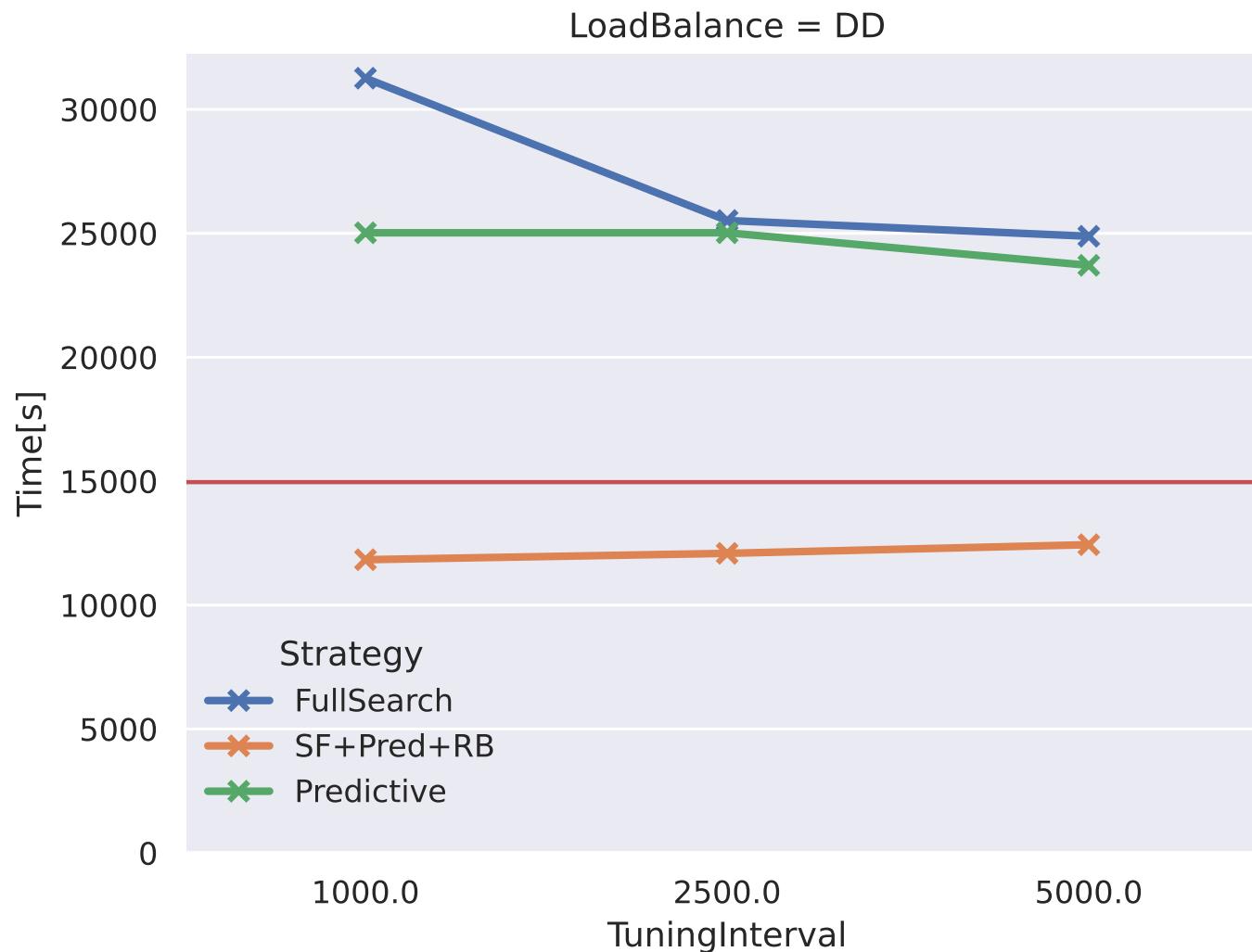
- Domain Specific Language
- Filters based on pattern matching
- Can make use of dynamic live data
- Implemented via virtual machine

Iteration Performance over Time - Smart



- Y-axis 5x shorter!
- Apply expert rules to avoid inefficient configurations from the start
- Apply learning to only test promising configurations

Combined Smart Tuning Outperforms Everything



Summary

- AutoPas enables automated algorithm selection on node level.
 - Independent tuning of all MPI ranks.
 - Optimal algorithm choices also for non-expert users.
- Black Box particle container facilitates development of new applications.
 - Adapts autonomously to changing requirements.
 - No software expert knowledge needed.
- Speed up automated algorithm selection by combination of knowledge and learning.

