

# Implementation of Langmuir-Hinshelwood Kinetics in CFD Modeling of Entrained Flow Gasification

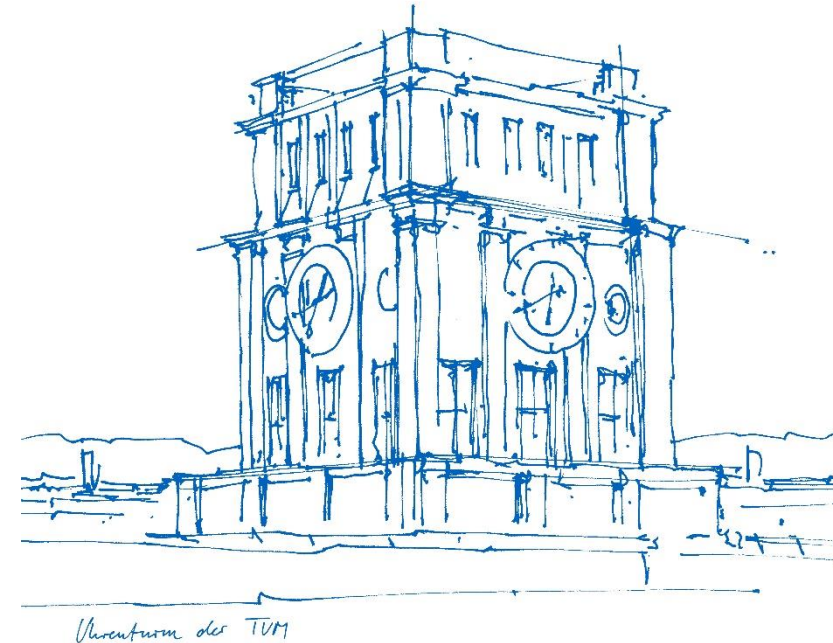
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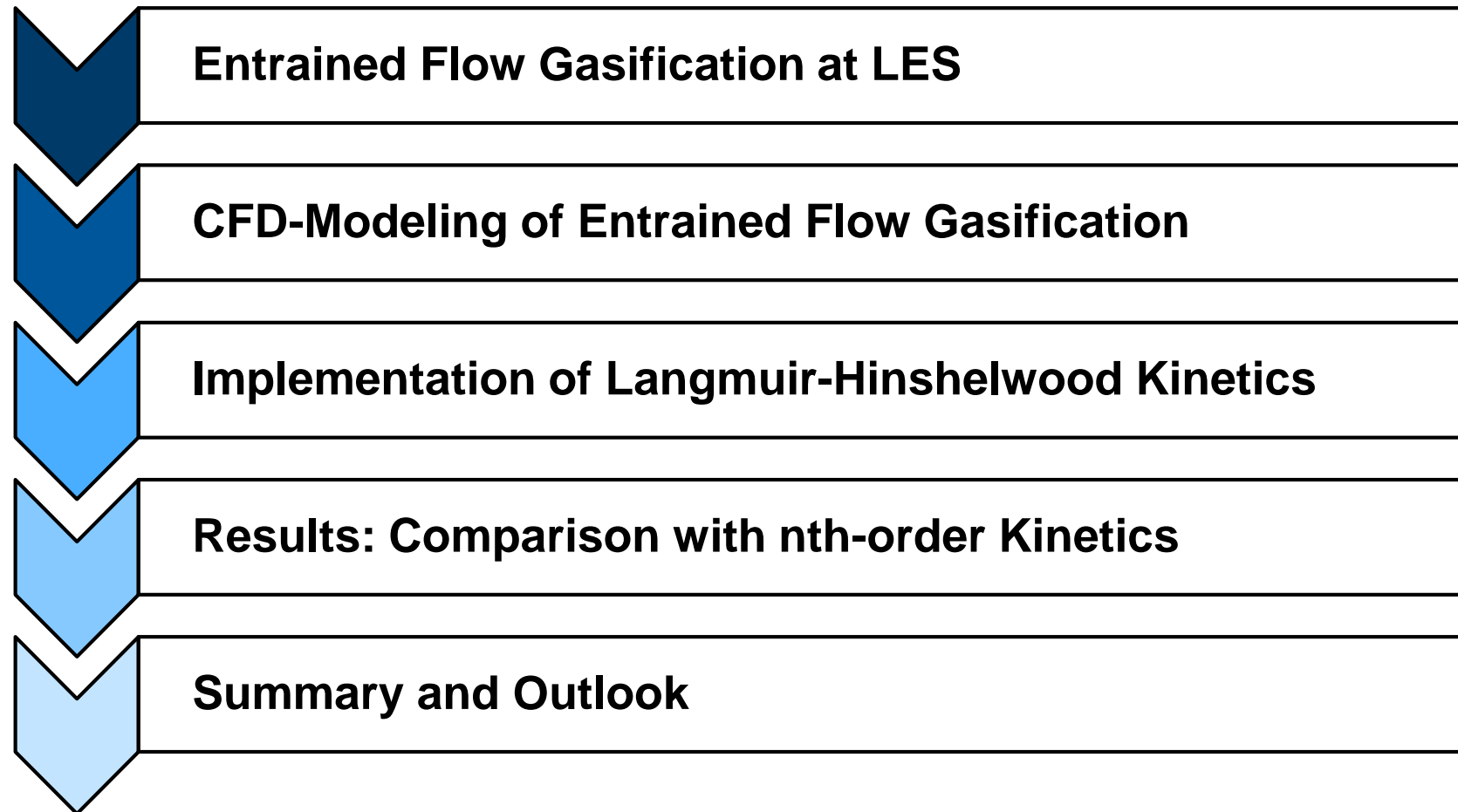
TUM School of Engineering and Design

Chair of Energy Systems

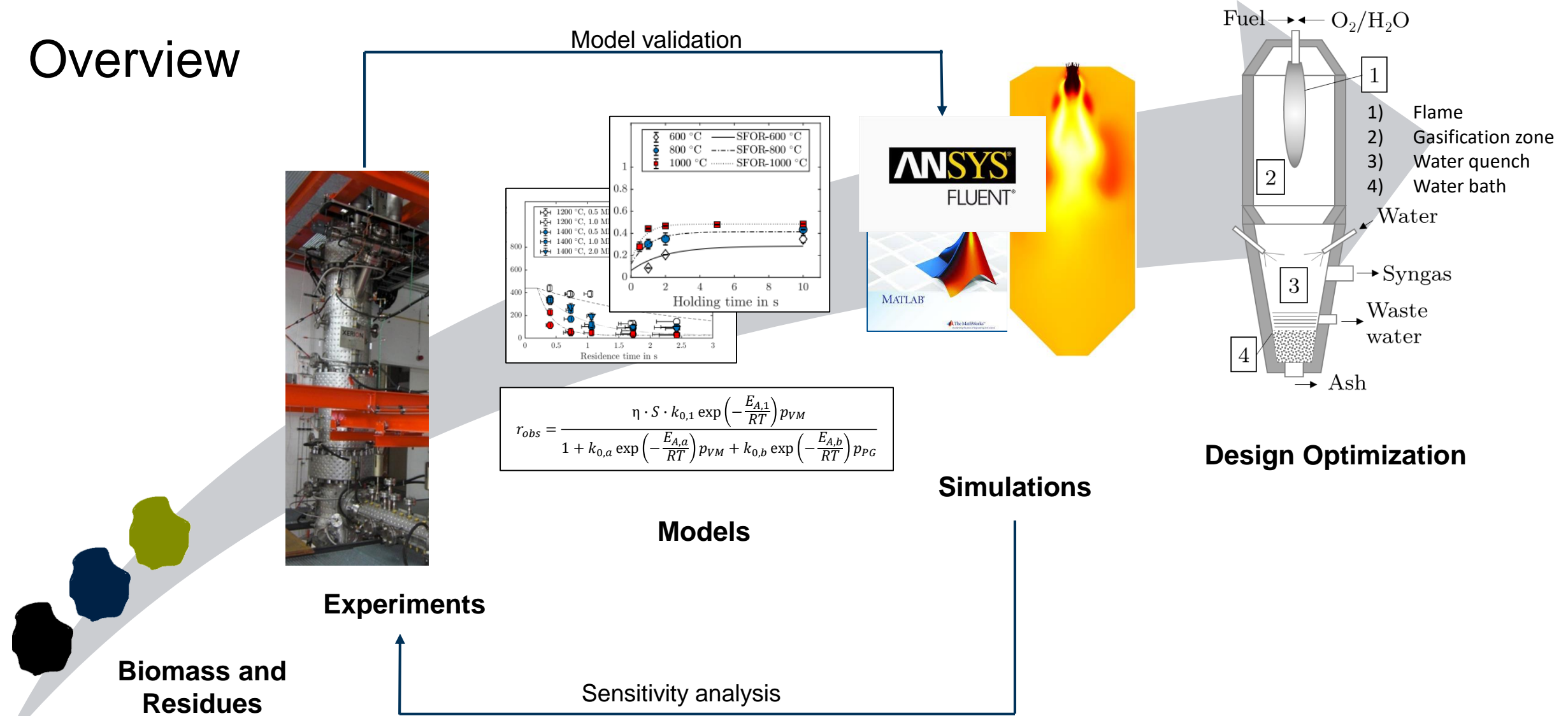
Freiberg, 20.09.2022



# Structure

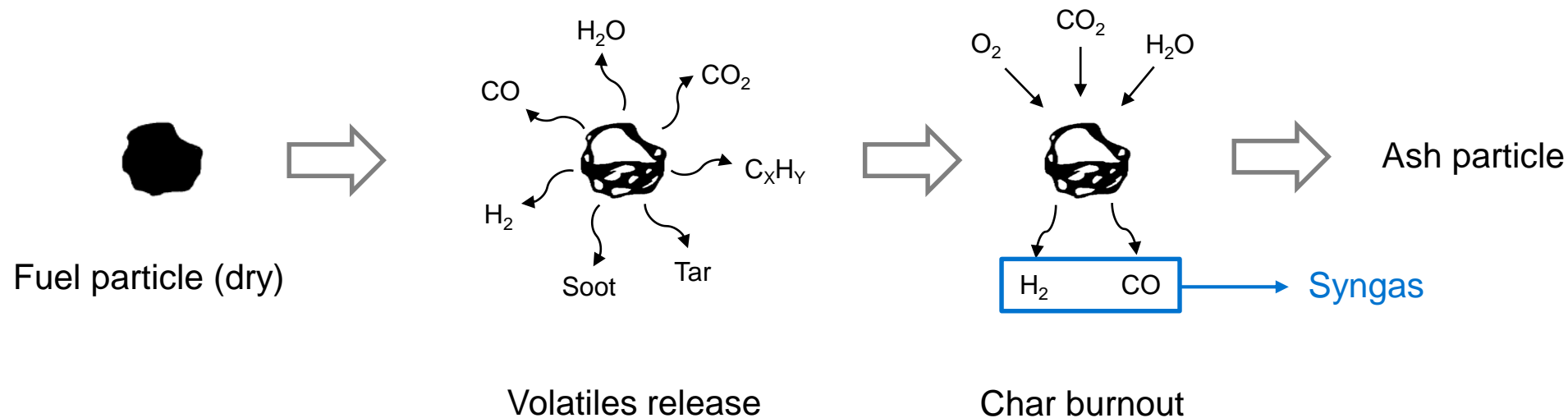


# Overview



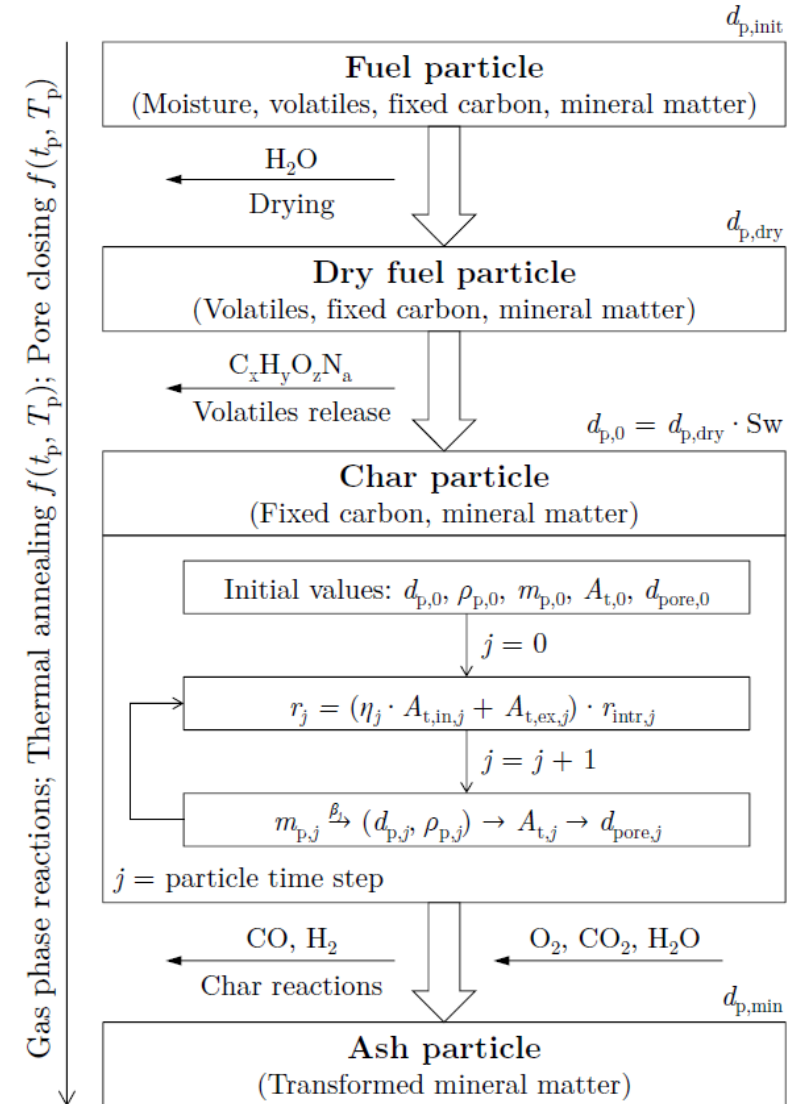
# Modeling Approach

- Entrained flow gasification conditions:
  - Temperature: 1200-1600 °C
  - Pressure: 1-40 bar
  - Fuel particle size: <math><300\mu\text{m}</math>
- Reduction of the gasification process on the following main steps:



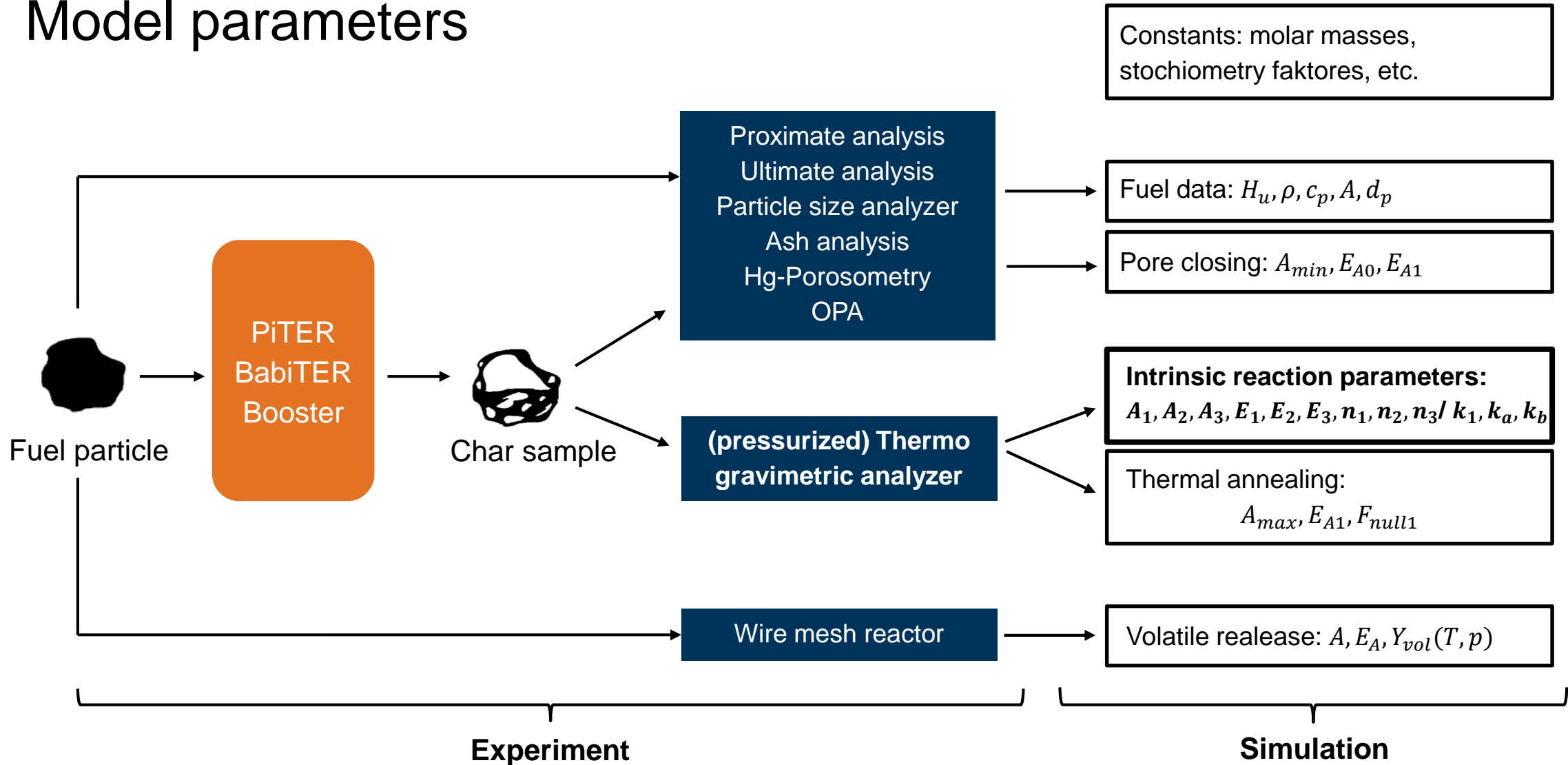
# Model Overview

- Software: ANSYS Fluent, stationary RANS equations
- Modelling approach: DPM (discrete phase model): Eulerian-Lagrangian approach  
→ Simulation of individual fuel particles as spheres
- Pyrolysis: SR-/TCR kinetic and  $Y_{vol}(T,p)$  from measures
- Gas-phase reactions: Jones-Lindstedt-Mechanism
- Char reactions ( $O_2/CO_2/H_2O$ ): User-Defined-Function
  - **Nth-order approach/ LH-approach with saturation and product inhibition**
  - Effectiveness factor to account for pore diffusion limitations
  - Thermal annealing submodel
  - Submodel for char structure development
- Solution process by alternating calculation of the gas and solid phase



Source: Stefan DeYoung

# Model parameters



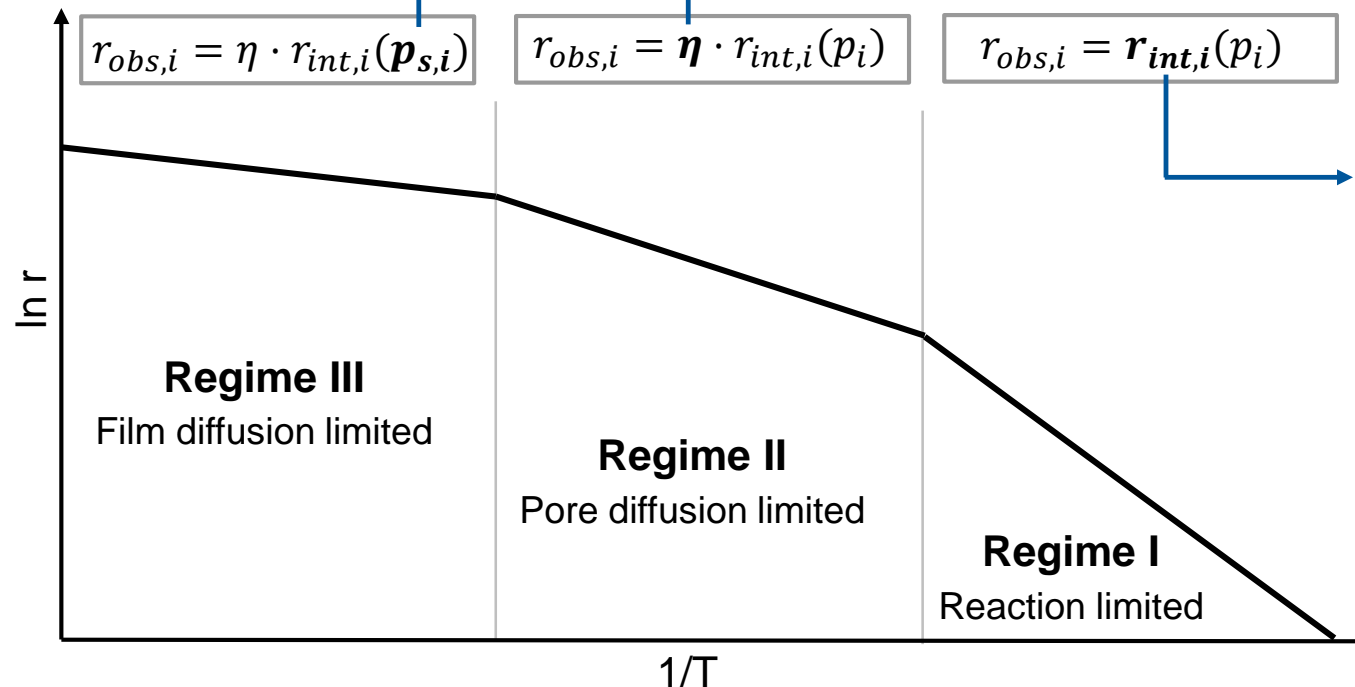
# Char Reaction Kinetics: Regime Dependent Reaction Rate

## Partial pressure at particle surface

- Film diffusion in the particle boundary layer:  $p_{s,i} < p_i$

## Effectiveness factor:

- Function of Thiele Modulus  $\phi_i(p_i)$
- Accounts for concentration gradient inside the particle



## Intrinsic reaction rate:

- Nth order approach
- Langmuir Hinshelwood

# Char Reaction Kinetics: Intrinsic Reaction Rate

## Nth-order Approach

Intrinsic reaction rate:

$$r_{int,i} = k \cdot p_i^n = k_0 e^{-\frac{E_A}{RT}} \cdot p_i^n$$

- 3 kinetic parameters (orange)
- Partial pressure of reactant gas  $p_i$

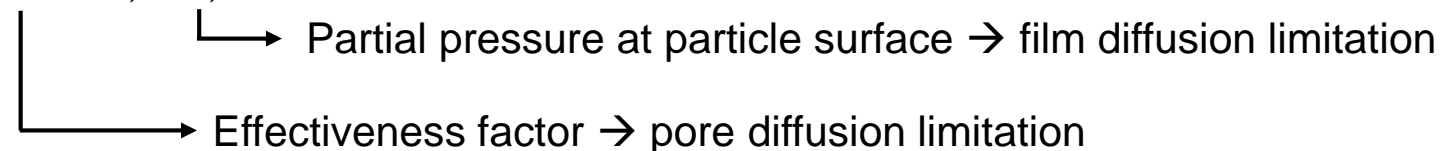
## Langmuir-Hinshelwood Kinetics

Intrinsic reaction rate:

$$r_{int,i} = \frac{k_1 \cdot p_i}{1 + k_a \cdot p_i + k_b \cdot p_j} = \frac{k_{0,1} e^{-\frac{E_{A,1}}{RT}} \cdot p_i}{1 + k_{0,a} e^{-\frac{E_{A,a}}{RT}} \cdot p_i + k_{0,b} e^{-\frac{E_{A,b}}{RT}} \cdot p_j}$$

- 6 kinetic parameters (orange)
- Partial pressure of reactant gas  $p_i$  and product gas  $p_j$
- Additional effects: Saturation and product gas inhibition

Observed reaction rate:  $r_{obs,i} = \eta \cdot r_{int,i}(p_{s,i})$





# Char Reaction Kinetics: Pore Diffusion

Observed reaction rate:  $r_{obs,i} = \eta_i \cdot r_{int,i}(p_{s,i})$

$$\eta_i = \frac{1}{\phi_i} \left( \frac{1}{\tanh(3 \cdot \phi_i)} - \frac{1}{3 \cdot \phi_i} \right) \quad (\Rightarrow \text{for spheres})$$

**Nth-order**

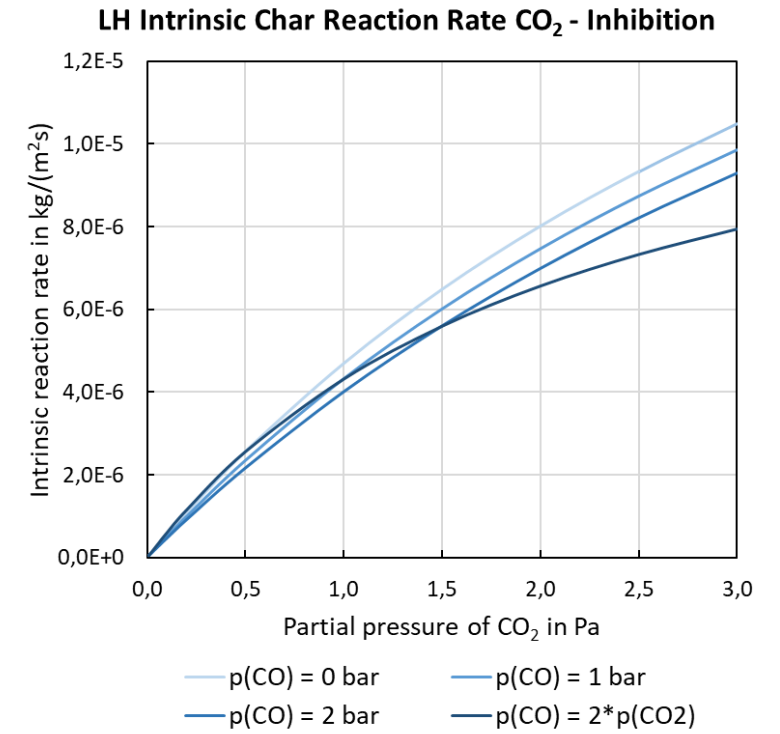
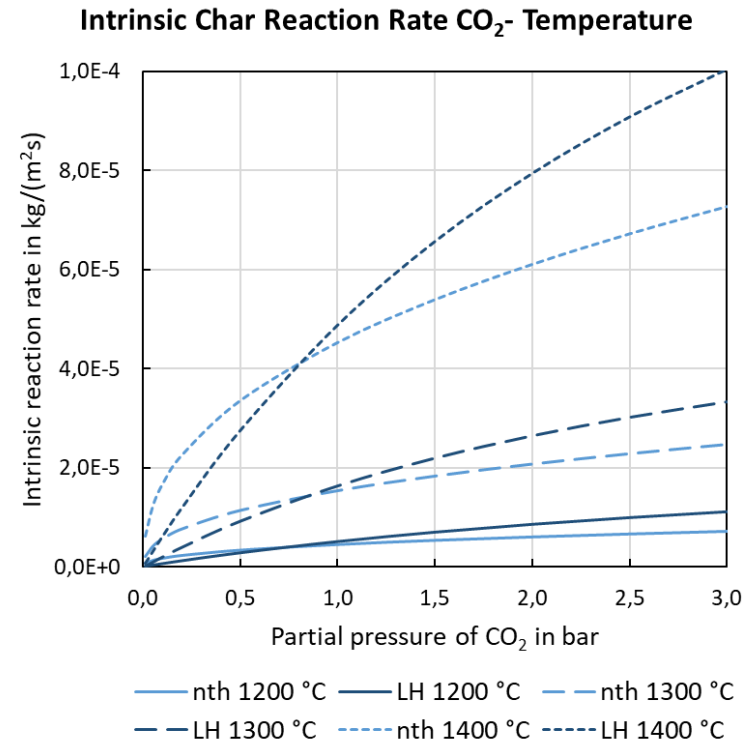
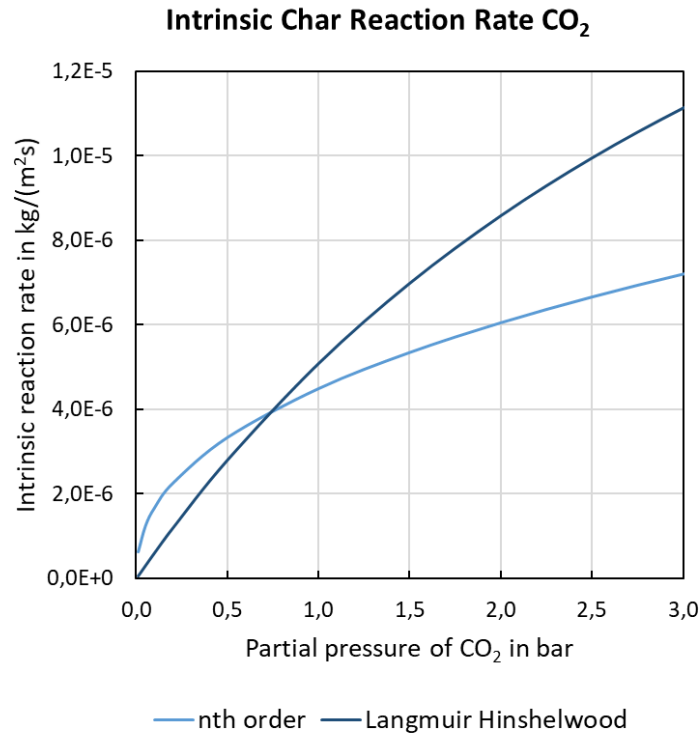
**Langmuir Hinshelwood**

- Thiele Modulus:  $\phi_i = f(p_{s,i})$   
Accounts for the concentration gradient inside the particle with pore diffusion
- Numerical calculation of  $p_{s,i}$  with a mass balance at particle surface:  
 $reaction\ rate(p_{s,i}) = diffusion\ rate(p_{s,i})$

- Thiele Modulus:  $\phi_i = f(p_{s,i}, p_{s,j})$
- Calculation of  $p_{s,j}$ 
  - Level 1:**  $p_{s,j} = p_j$
  - Level 2:  $p_{s,j}$  with film diffusion
  - Level 3:  $p_{s,j}$  with film diffusion and concentration gradient inside the particle (e.g. with effectiveness factor for inhibition)

# Intrinsic Reaction Kinetics of Torrefied Wood

## Influence of operating conditions for CO<sub>2</sub> reaction



# CFD Simulation of PiTER

Pressurized High Temperature Entrained Flow Reactor

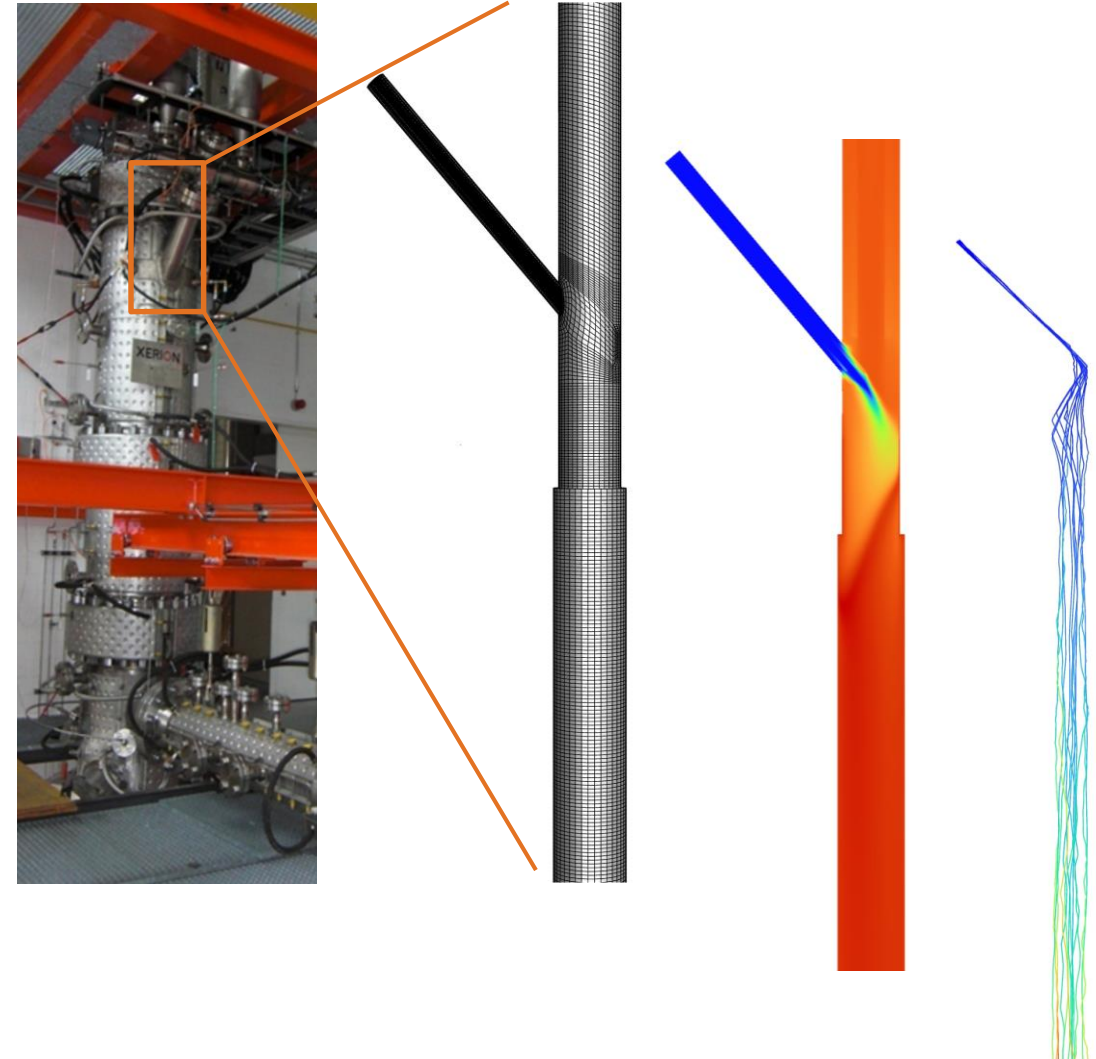
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## Boundary Conditions

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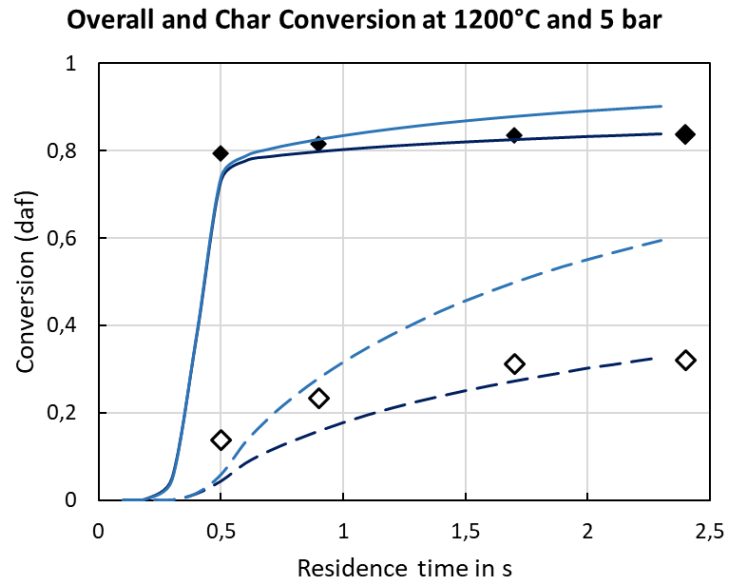
Fuel	Torrefied wood
Massflow	1 <i>kg/s</i>
Particle diameter	10 – 300 $\mu m$
Wall temperature	1200 – 1600 °C
Pressure	5/ 10/ 20 <i>bar</i>
O/C ratio	1 (molar)
Residence time	2,4 <i>s</i>
O <sub>2</sub> reaction	nth order
CO <sub>2</sub> , H <sub>2</sub> O reaction	Langmuir Hinshelwood

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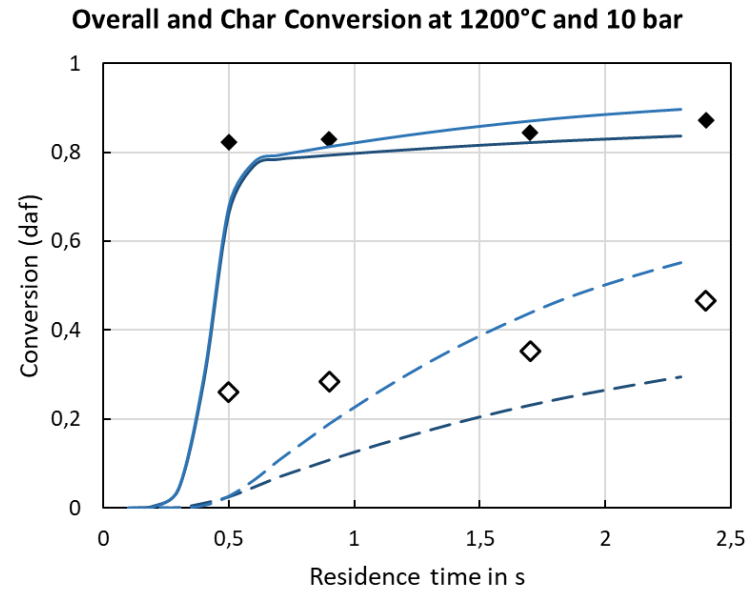


# PiTER Simulation Results I

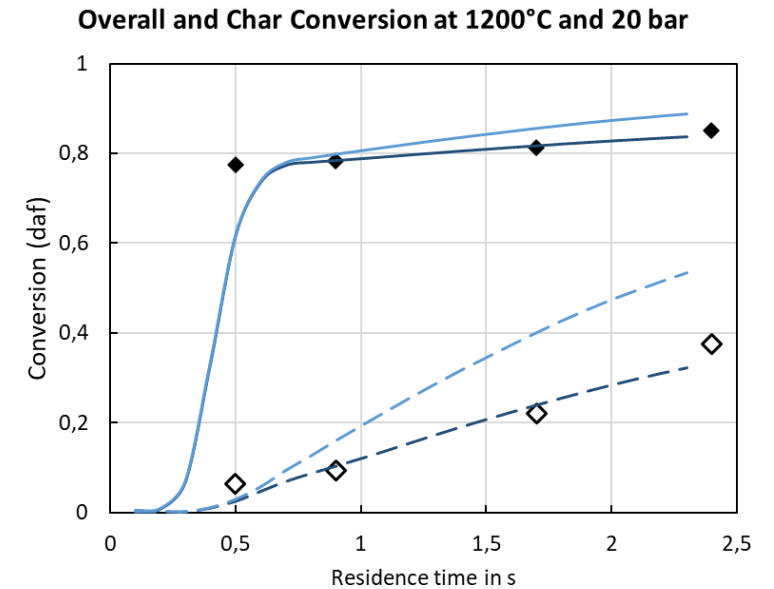
1200 °C with with pressure variation



◆ Ov. conv. (Exp.)    ◇ Char conv. (Exp.)  
 — Ov. conv. (CFD LH)    - - Char conv. (CFD LH)  
 — Ov. Conv. (CFD nth)    - - Char conv. (CFD nth)



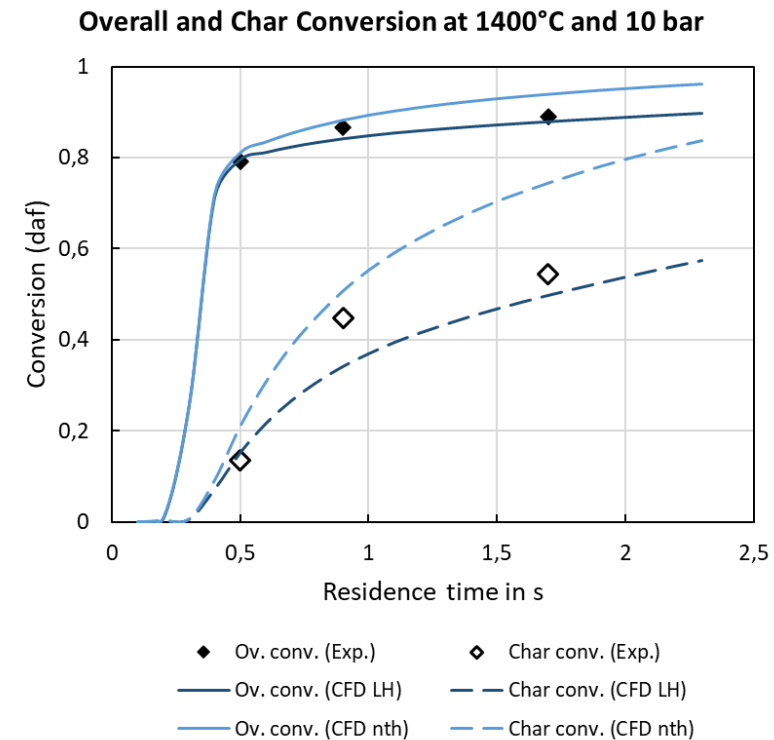
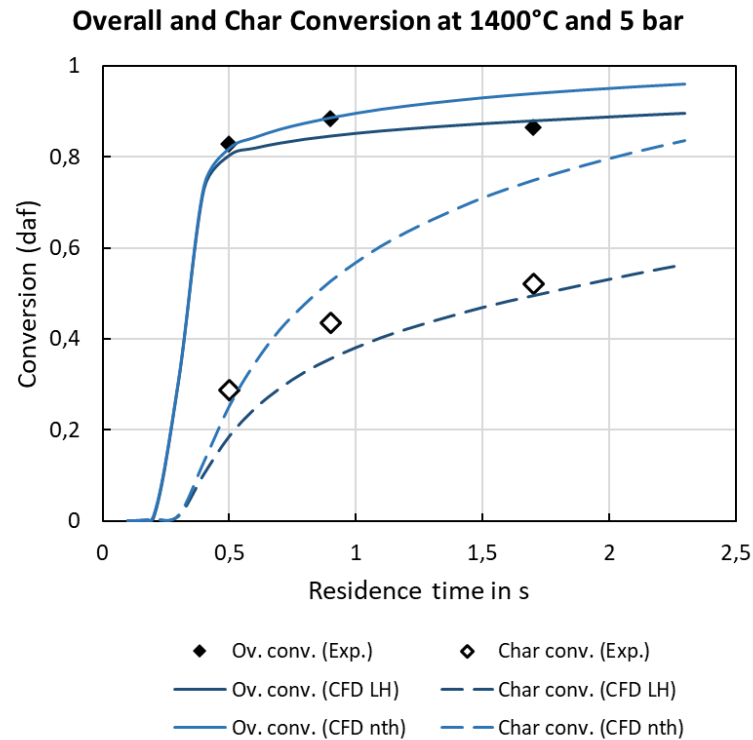
◆ Ov. Conv. (Exp.)    ◇ Char conv: (Exp.)  
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◆ Ov. conv. (Exp.)    ◇ Char conv. (Exp.)  
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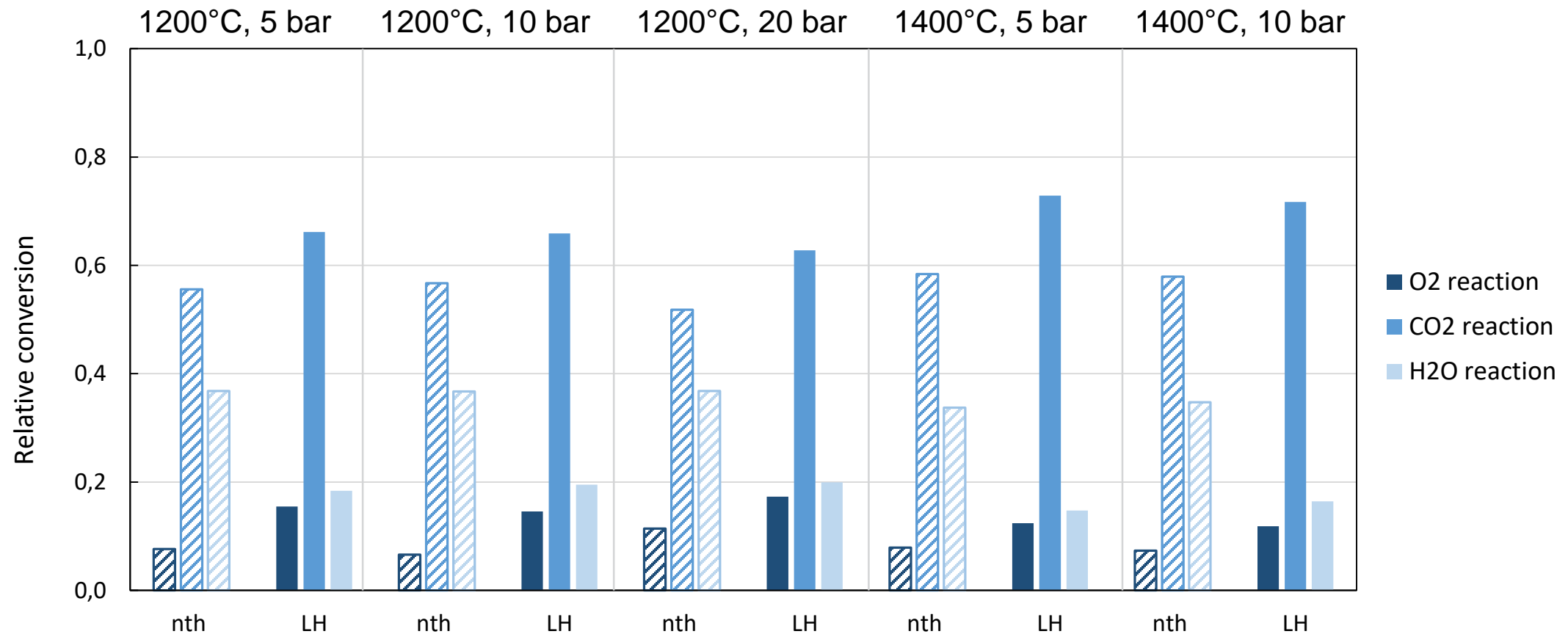
# PiTER Simulation Results II

1400 °C with pressure variation



# PiTER Simulation Results III

Relative char conversion with O<sub>2</sub>, CO<sub>2</sub>, H<sub>2</sub>O



# Summary and Outlook

- Successful implementation of Langmuir-Hinshelwood Kinetics to describe char reaction rates with  $\text{CO}_2$  and  $\text{H}_2\text{O}$  in an CFD model for entrained flow gasification
- Kinetic studies and CFD-model results on a drop tube entrained flow reactor are showing a significant deviation of reaction kinetics over a wide range of partial pressures and temperatures
- Overall good prediction of measured char conversion and overall conversion
- Significant increase in relative char conversion of the  $\text{CO}_2$  reaction

## Next steps:

- Implementing a more accurate calculation of the partial pressure on the particle surface of the product gas
- CFD simulations on different reactor models from lab scale to industrial scale and different feedstocks
- Further model validation with experimental results of a lab-scale entrained flow reactor

# Feel free to get in touch!

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